

**Design of On-demand DBS in Movement Disorders using Machine Learning and the  
Need for Adaptive Learning**

BY

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THESIS

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## **LIST OF ABBREVIATIONS**

FDA	Food and Drug Administration
PD	Parkinson's Disease
ET	Essential Tremor
DBS	Deep Brain Stimulation
IPG	Implantable Pulse Generator
HFS	High Frequency Stimulation
BG	Basal Ganglia
VIM	Ventral Intermediate Nucleus
LFP	Local Field Potential
STN	Subthalamic Nucleus
GPI	Globus Pallidus interna
sEMG	surface-Electromyography
acc	Accelerometry
WT	Wavelet Transform
RQA	Recurrence Quantification Analysis
LAMSTAR	Large Memory STorage And Retrieval
SOM	Self-Organizing Map

## **LIST OF ABBREVIATIONS (Continued)**

WTA	Winner-Take-All
LNN-1	LAMSTAR Neural Network, type 1
LNN-2	LAMSTAR Neural Network, type 2 (normalized)
MDL	Minimum Description Length
DT	Decision Tree
CART	Classification And Regression Tree
BPNN	Back-Propagation Neural Network
DS	Duration of Stimulation
DS*	Duration of Stimulation (optimal)

## SUMMARY

This thesis presents an automated tremor prediction algorithm based on modified Large memory storage and retrieval Neural Network (LNN-2), for the design of closed-loop Deep Brain Stimulation (DBS) system. The proposed method modifies the current open-loop paradigm of DBS to work on-demand by forecasting the onset of tremor in Parkinson's Disease (PD) and Essential Tremor (ET) patients. Feedback provided by non-invasive physiological signals is used to drive the DBS in an on-off regime, stimulating the target region only when required. Such closed-loop DBS systems, thereby reduce the amount of stimulation applied to the brain and may also lead to improving the battery life, decreasing the risk of infection due to repetitive battery replacement surgeries.

Previously, the proof-of-concept of such a closed-loop system was established using surface ElectroMyoGraphy (sEMG) and accelerometry (acc) signals in four PD and four ET patients. To detect the reappearance of tremor, thresholds were manually set on selected features. This process is tedious since the manual algorithm is patient-specific and the threshold parameters have to be chosen individually for each patient. To automate the process, Decision Tree (DT) algorithm was used and found to perform better than back-propagation neural network, and support vector machine methods. The Classification and Regression Tree (CART) algorithm used for DT will be compared here with LNN-2.

The main objectives of this thesis are:

1. Collect more data and assess the benefit of closed-loop DBS system in tremor-dominant PD patient population,

## **SUMMARY (Continued)**

2. Automate the process of tremor prediction using LNN-2 approach and improve the accuracy and sensitivity of prediction,
3. Compare the algorithm with previously used DT method,
4. Assess the robustness of tremor prediction over time,
5. Determine a pre-tremor interval during the stimulation-free time using sEMG sensors.

Introduction to movement disorders, PD and ET, are given in the Chapter 1. Symptoms, cause and the therapeutic treatment methods for both the disorders are outlined followed by a brief description of DBS system in the current open-loop paradigm. Different feedback signals for closed-loop systems used in the past work are introduced here. Finally, the specific goals of this research work and its significance are stated.

Second chapter describes the process of patient recruitment and data collection. Two different set-ups have been used for recording the non-invasive sEMG and acc signals. This thesis introduces new data for four PD patients (second set-up). One more PD and two ET patients had participated in the study; however, were not good candidates for the closed-loop system. Their data has not been used for training or testing of prediction algorithms. In on-demand DBS systems, stimulation is only applied when the tremor is predicted to return after DBS is switched off. Data collected from nine PD patients showed that the duration of tremor-free stimulation-off time varied from patient to patient, with some patients having as little as 30 seconds to some patients having even more than three minutes of such tremor-free time. The benefit of closed-loop DBS system was quantified and assessed for these nine patients using metrics that give the ratio of stimulation-off time without tremor to the duration of stimulation. This was used to show who may benefit most from such on-demand systems and show the

## SUMMARY (Continued)

importance of choosing the optimal duration of stimulation to maximize this ratio. To maximize the benefit and maximize the ratio of stimulation free time, an analysis of patient-specific optimal duration of stimulation is provided for PD patients. The tables list the observed ratio of stimulation-off, tremor-free time to the duration of stimulation for different durations of stimulation ranging 20-80 seconds.

Chapter 3 details the preprocessing and feature extraction, followed by a detailed description of the machine learning algorithms used. For the automation of tremor prediction, features were extracted from physiological signals recorded at the symptomatic extremities during Posture, Rest and Action states. Training and Testing was carried out using sEMG and acc based parameters, separately for each of the eight PD and four ET patients. LNN-2 is run for all the modes together (Action, Posture and Rest combined) and separately (Action state and Posture+Rest states). The architecture of LNN-1 and LNN-2 is included along with different methods of input discretization in place of self-organizing maps. LNN-2 is the modified version of LNN-1 with a minor change in the decision making process. In LNN-2, the link weights are normalized with respect to the number of times the winner neuron has fired. Comparison is made for these state-specific and states-combined methods and given in Chapter 4. Performance of state-specific run was better compared to the combined-states run. We also compare LNN-2 with Decision Tree (DT), using the same set of spectral, entropy and recurrence rate parameters for both the techniques as well as the same set of training and testing trials. DT algorithm, CART, which uses Gini index as split criterion, is then explained. For all the comparisons, the results are also given separately for trials at an optimal duration of stimulation that maximizes the ratio of stimulation free time without tremor to the duration of stimulation. In case of ET patients, results are given separately. LNN-2 was seen to perform better than DT algorithm.

## SUMMARY (Continued)

In Chapter 5, the need for adaptive on-demand DBS systems is described. Data from two patients (PD and ET) who had two different sessions of recordings spaced by at least one week was used. Training and testing of the algorithms were then performed on the two different sessions. Tremor prediction performance metrics were then used to assess the robustness of on-demand DBS algorithms over time. The decline in performance between different sessions showed the need for adaptive learning of on-demand DBS systems.

Chapter 6 shows that a specific and distinct Pre-Tremor (PT) interval exists within the No-Stimulation-No-Tremor (NS-NT) period. This was shown using sample entropy and mean frequency features extracted from sEMG data in one tremor-dominant PD patient with high R-ratio. Identifying this PT interval when DBS is off in sEMG signal based features justify the use of sEMG sensors and are important to assess for on-demand predictive control of DBS.

Final chapter concludes this thesis on demand-driven DBS system based on machine learning approach applied to non-neuronal, peripheral sensors. The future work is also given in this chapter. Next, we would also like to conduct more sessions with patients in their natural state rather than in the controlled environment with fixed tasks that were used in the current protocol. Based on a bigger dataset, adaptive learning methods can be studied which could ensure robustness of closed-loop DBS systems over time. With the recent rise in wearable devices, we envisage a closed-loop system based on sEMG and acc signals for tremor-dominant PD and ET patients.

## PUBLICATIONS AND AUTHOR CONTRIBUTIONS

Parts of the content of this thesis have been published in *Neuromodulation: Technology at the Neural Interface*, *Proceedings of the 37nd Annual International Conference of the IEEE Engineering in Medicine and Biology Society*, *Proceedings of the 40th Annual International Conference of the IEEE Engineering in Medicine and Biology Society* and *European Journal of Translational Myology: Applied Myology*.

Chapter two deals with data collection and degree of benefit of on-demand DBS. The work was published in *Daniel Graupe, Nivedita Khobragade, Daniela Tuninetti, Ishita Basu, Konstantin Slavin, Leo Verhagen Metman: Who may benefit from on-demand control of DBS: a non-invasive Parkinson patients evaluation*, *Neuromodulation: Technology at the Neural Interface*, 2018 for which I served as the second author. I was a major contributor to the paper where I collected data from five of nine patients. I computed the essential metrics for all patients leading to the key results that helped identify which patients would benefit from on-demand DBS and that an optimal duration of stimulation could help improve the efficacy of the system.

Parts of chapter 3 were presented in *Nivedita Khobragade, Daniel Graupe, Daniela Tuninetti: Towards fully automated closed-loop Deep Brain Stimulation in Parkinson's disease patients: A LAMSTAR-based tremor predictor*, *Engineering in Medicine and Biology Society (EMBC), 37th Annual International Conference of the IEEE, August 2015* for which I served as the first author. A different algorithm was applied to data collected from one PD patient.

## PUBLICATIONS AND AUTHOR CONTRIBUTIONS (Continued)

Some parts of the thesis (Chapter 3 and Chapter 4) are to be submitted for publication as *Nivedita Khobragade, Daniela Tuninetti, Daniel Graupe, Leonard Verhagen, Konstantin Slavin, Ishita Basu: On-Demand Control of DBS Using Non-invasive EMG Sensors in Movement Disorders* where I will be the first author. The results were obtained from my work of feature extraction and implementation of machine learning algorithms for all patients. Parts of feature extraction are based on research from Dr. Ishita Basu.

Results in chapter 5 were presented in *Nivedita Khobragade, Daniela Tuninetti, Daniel Graupe: On the need for adaptive learning in on-demand Deep Brain Stimulation for Movement Disorders, Engineering in Medicine and Biology Society (EMBC), 40th Annual International Conference of the IEEE, July 2018* where I served as the first author and obtained the presented results.

Parts of chapter 6 are to be submitted for publication as *Daniel Graupe, Nivedita Khobragade, Konstantin Slavin, Leo Verhagen Metman, Daniela Tuninetti, Ishita Basu : Determining Unique Pre-tremor Phase within Tremor-free-Stimulation-free Period in sEMG Data of DBS-Implanted PD Patients*. I served as the second author and performed data collection and helped with parts of the analysis.

Parts of the Chapter 7 are to be submitted for publication as *Nivedita Khobragade, Daniela Tuninetti, Daniel Graupe, Leonard Verhagen, Konstantin Slavin, Ishita Basu: On-Demand Control of DBS Using Non-invasive EMG Sensors in Movement Disorders* where I will be the first author. This chapter deals with conclusion and considerations to be made for using on-demand DBS system in practice.

## CHAPTER 1

### INTRODUCTION

#### 1.1 Deep Brain Stimulation

Deep Brain Stimulation (DBS) is a therapeutic surgical procedure that was approved by the FDA in 1997 for parkinsonian and essential tremor (ET). DBS originated from the work by Benabid *et al* [1], who first applied it to Parkinson's Disease (PD) and has since been extended for the treatment of a range of other neuromotor and neuropsychiatric disorders. The device controls the symptoms by applying continuous High-Frequency Stimulation (HFS) to the intended target regions in the brain. This well-established implant is estimated to have been received by more than 100,000 patients worldwide [2,3]. DBS does not cure the disorder but helps with its management resulting in an overall improvement of quality of life. Unlike the lesioning surgical interventions such as thalamotomy for PD and ET, DBS is reversible and adjustable allowing original state to be restored.

A typical DBS system consists of a macroelectrode, an Implantable Pulse Generator (IPG) and an extension wire connecting the two. The macroelectrode or the lead is implanted at the target location which is selected based on the disorder and the related symptoms. The IPG, implanted subcutaneously below the clavicle, is used to send the pulses to the lead and to control the HFS parameters. Once the parameters are set, the stimulation is applied continuously to the target regions. DBS systems have evolved in the past two decades in terms of the macroelectrode design, the stimulation paradigms, and ongoing research towards adaptive stimulation systems. Although DBS technology has advanced, com-

mercially available systems still run in open-loop mode, where HFS of fixed amplitude, frequency and pulse width is delivered continuously without adapting to the symptoms.

### **1.1.1 Why close the loop?**

Although this treatment is widely accepted, the mechanism of DBS is not yet completely understood. The present-day DBS systems available in the market work open loop which means that the stimulation is applied continuously without identifying the onset of symptoms. DBS, though reversible, can lead to some unwanted side-effects such as dysarthria, gait impairment and dyskinesia [4]. These side-effects may be mitigated using interleaving and field shaping techniques by reducing the stimulation of undesirable regions. Interleaving approach uses varying stimulation parameters on different sets of contacts, thereby stimulating different areas in alternating fashion and alleviating stimulation-induced side-effects. However, this approach can increase the battery drain [5]. Field shaping by selection of the optimal contact segments may also help reduce such side-effects [6]; albeit still applying stimulation continuously when run open-loop. An effective system would minimize these undesirable effects while maximizing the therapeutic effect of the stimulation. It has been previously shown that adaptive and on-demand closed-loop DBS systems provide more effective symptom management with reduced side-effects and improved power saving [7,8].

An on-demand system can achieve improved efficacy can be achieved by applying stimulation only when required. Such a system would, as a result, also increase the battery life of the device. The battery of the IPG delivering HFS, needs to be surgically replaced every 3 to 4 years. Incidence of infection has been reported to increase with number of IPG replacements [9]. By improving the battery life, such traumatic surgeries, the associated risk of postoperative infection and the cumulative costs can

be reduced. An on-demand system can be designed to track a suitable feedback signal specific to the disorder and apply stimulation only when necessary. For movement disorders such as PD and ET, DBS can be applied in a closed-loop regime by monitoring and predicting the onset of tremor.

## **1.2 Parkinson's Disease**

### **1.2.1 Etiology and Symptoms**

PD is a progressive neurological movement disorder, characterized mainly by motor symptoms such as tremor, bradykinesia, rigidity, and axial symptoms related to gait and balance issues. It is one of the most prevalent neurodegenerative diseases, second only to Alzheimer's disease [10]. It is caused by degeneration of dopamine-producing cells in the substantia nigra, a component of the Basal Ganglia (BG) motor pathway in the brain. PD phenotypes are classified as Tremor-Dominant (TD) and Non-Tremor Dominant (NTD) which includes postural instability and gait disability (PIGD) subtype and PD subtype dominated by bradykinesia and rigidity [11]. Resting tremor is the most common symptom seen in PD patients. These patients may also experience kinetic tremors while performing voluntary movement. Tremors are observed to be prominent towards the distal ends of the limbs [12]. The frequency of resting tremors lie in 4-6 Hz and the postural or kinetic tremors are in the range of 7-11 Hz [13].

### **1.2.2 Pharmaceutical and Surgical interventions**

In early stages of PD, the symptoms can be controlled by pharmacological treatment of Levodopa-Carbidopa, albeit not permanent. As the disease progresses, this drug combination is no longer adequate to curb the debilitating symptoms. At this advanced stage, the patients are recommended the surgical intervention of DBS.

In case of PD patients, the DBS macroelectrode is stereotactically implanted in one of the two target sites, either Sub-Thalamic Nucleus (STN) or Globus Pallidus interna (GPi). This electrode is connected to an IPG or the neurostimulator, which is surgically placed below the clavicle. Each macroelectrode consists of four contacts of which two are selected. Different combinations of contacts give different field distributions, thereby stimulating different extents of the target region. IPG can be programmed externally by the clinician by evaluating the effect of each configuration on the symptoms. The combination of contacts and the parameters of the HFS, such as amplitude, frequency, pulse width, are set to maximize efficacy and minimize any side-effects. IPG then provides HFS of the set parameters continuously to the target location.

Frequently, DBS leads to certain side-effects such as dysarthria and gait impairment in PD patients. STN-DBS may lead to dysarthria which means patients may experience speech impairment including speech slurring and intelligibility [14]. Though DBS improves PD symptoms as well as levodopa-induced dyskinesia, in some cases stimulation of upper portion of STN may even exacerbate dyskinesia [15]. Such Stimulation-Induced Dyskinesia (SID) was observed to most commonly be manifested in the contralateral lower limb. Such side-effects reduce the efficacy of DBS systems. It is, therefore, imperative to reduce these side-effects while still providing the benefits of the conventional open-loop DBS. Adaptive and on-demand DBS systems can help curb such side-effects [16].

### **1.3 Essential Tremor**

#### **1.3.1 Etiology and Symptoms**

ET is another prevalent movement disorder, and is characterized by tremor in 4-12 Hz range [17]. Unlike PD, tremor in ET patients appear only when effort is exerted. These rhythmic oscillations occur

during voluntary movement with higher amplitude of kinetic tremor than that of postural tremor. The amplitude also increases during intentional tasks when the target is approached. The pathophysiology of ET is unknown and it cannot be cured.

### **1.3.2 Pharmaceutical and Surgical interventions**

The symptoms of ET can be controlled by drug intervention of propranolol and primidone. As the disease advances, surgical options are considered. Lesioning method of thalamotomy is irreversible where a permanent lesion to thalamus is applied. DBS is another surgical option which is an invasive approach but is reversible. The electrode is placed in Ventral Intermediate Nucleus (VIM) of thalamus and continuous HFS is applied to disrupt the pathological oscillations in the thalamocortical circuit [18].

VIM stimulation side-effects include speech slurring, increased falls and drooping of eyes. The currently available DBS systems run open-loop, and the IPG runs continuously irrespective of whether stimulation is required or not; however, since the kinetic tremors in ET are initiated by volitional movement, the amount of stimulation to the target brain region and the side-effects can be reduced by enabling DBS only when the patient is using their affected limb [19,20]. This may potentially improve the battery life as well.

### **1.4 Closed-loop DBS approaches:**

Closed-loop DBS system receives feedback from a signal that enables the stimulation to adapt with the disease symptoms [21]. The adaptive control methodology for closed-loop DBS can be divided into two classes: i) On-demand binary approach where the stimulation is either on or off based on presence or absence of symptoms and ii) scalar approach where the stimulation voltage is modulated by monitoring biomarkers [8]. Both the approaches can be implemented using either implanted or

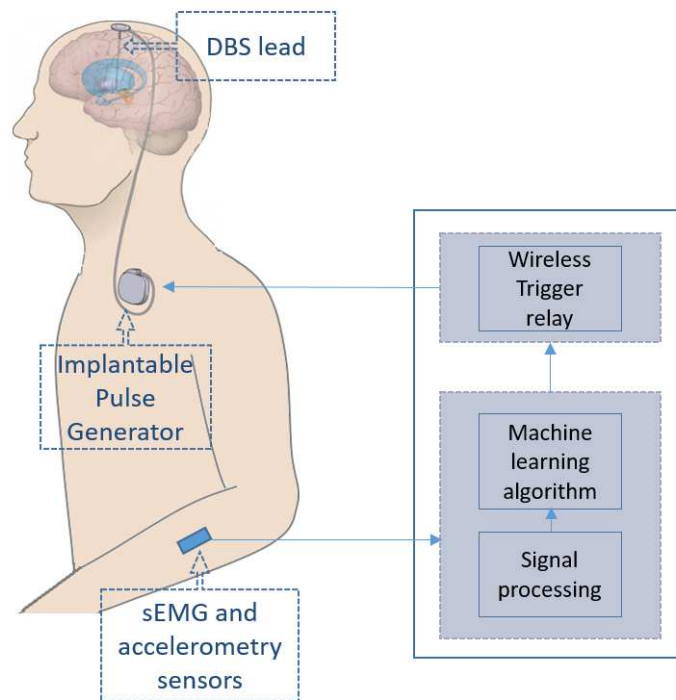


Figure 1. On-demand DBS system schematic consisting of sensors (sEMG and Acc) on the tremor dominant limbs, a signal processor, machine learning algorithm and a wireless trigger relay.

noninvasive sensors. These adaptive systems modulate the stimulation by using a control signal with information indicative of the symptoms. For prediction of onset of tremor, a variety of approaches can be adopted which are described in the following sections. Signals such as Local Field Potential (LFP), surface Electromyography (sEMG), Electroencephalography (EEG) and kinematic signal from gyroscope have been employed for tracking or predicting tremor onset [16, 20, 22, 23].

### 1.4.1 Neural activity based closed-loop DBS

The neural signals such as LFP or Single Unit Spike (SUS) can provide information regarding symptom reoccurrence. These signals can be recorded from a separate microelectrode placed close to the target region of stimulation or from a bidirectional recording and stimulating macroelectrode.

#### 1.4.1.1 SUS as feedback signal

In [7], Rosin *et al* showed a superior control of Parkinsonian symptoms in 1-methyl-4-phenyl-1, 2, 3, 6-tetrahydropyridine (MPTP)-treated primate model using closed-loop DBS system than by open-loop continuous stimulation despite less overall stimulation. Action potentials in the primary motor cortex were monitored and stimulation was applied to GPi on occurrence of a spike in M1, coinciding with the BG-cortical loop oscillations. Since chronic recording of a single M1 spike may not be reliable, this procedure is not conducive for long-term implementation [24]. Following the success of closed-loop DBS in a non-human primate model, different strategies have been applied for extending this closed-loop approach to human subjects using more reliable signals such as Local Field Potentials (LFP).

#### 1.4.1.2 LFP biomarkers

Neuronal signals can be measured as feedback from the site of stimulation for prediction of tremor and other Parkinsonian traits. An elevated beta band power associated with bradykinesia and rigidity has been observed in the LFPs recorded from STN. A simple approach of tracking LFP beta power was shown by [16] and [25]. The stimulation would be triggered once the beta power crossed a certain threshold, controlling DBS in a binary on-off fashion in [16]. A scalar adaptive DBS (aDBS) in a freely moving patient were tested by Rosa *et al*. The stimulation amplitude is modulated to adapt to the LFP

beta power changes. These methods using LFP as a biomarker require changes to the DBS electrode to either perform both stimulation and recording or need an additional electrode at the site dedicated for measurement of neural activity and communicating with the IPG.

#### **1.4.2 Peripheral sensors based closed-loop DBS**

The increase of beta power in LFPs is associated with bradykinesia and rigidity, but not tremor, which is a cardinal sign of PD. This increase is absent in one-third of the patients [21]. It can, therefore, not be invariably used as the indicative biomarker [6]. A different indicator is required for on-demand DBS control for tremor-dominant disorders, such as those of interest in this work. Of all the symptoms, tremor is the first one of the PD clinical signs to reappear on switching off the stimulation [26]. Prediction of this symptom can, thus, be used as an indication for switching on the stimulation in a demand-driven system. Peripheral wearable devices such as sEMG sensors, and gyroscopes have been used to track tremor for closed-loop DBS [21].

##### **1.4.2.1 Electromyography and accelerometry signals**

Non-neuronal signals recorded from peripheral sensors, such as, surface Electromyography (sEMG) and accelerometer (acc), can also be used to extract predictive information regarding tremor. Proof-of-concept of an on-demand DBS system using sEMG and acc signals was presented in [22]. Both these sensors are non-invasive. The newer generations of this additional hardware are comfortable, smaller in size and no longer bulky. With the recent rise in the use of wearable devices, there is a reduced stigma towards wearing such monitoring devices [27]. Tremor prediction could also just be an additional functionality of an activity-tracking wearable device.

#### **1.4.2.2 Inertial measurement unit signals**

Similar to using these wearable sensors, a kinematic aDBS for resting tremor was described in [23]. Tremor power in 4-8 Hz was estimated by employing a gyroscope to adaptively modulate the stimulation voltage. Stimulation was switched off when the tremor power was below 25% of its maximum value.

A combination of neural and wearable signals can be used to predict tremor and non-tremor symptoms together.

#### **1.4.3 Neurochemical control**

In [28], a closed-loop DBS system based on monitoring neurochemical changes is proposed. The dopamine level changes were used to set the stimulation in rodent PD model. Irrespective of the biomarker used for designing closed-loop DBS, all the strategies are suggested to lead to physiological improvement and reduction in battery consumption [29].

#### **1.4.4 Volitional movement in ET**

Such demand-driven control for DBS systems can similarly be employed for other motor disorders. Since tremor appears only during voluntary movement in essential tremor, an on-demand DBS system can be implemented for this neuromotor disorder by detecting movement intention alone. This can be identified by the decrease in low frequency beta oscillations using Electrocorticography [30] or recognizing intent of motion using EMG signals [31].

### **1.5 Past work**

An on-demand DBS system should maximize accurate tremor prediction so that the patient does not suffer any discomfort. It should also minimize early predictions or false alarms due to voluntary movement being erroneously interpreted as tremor. By implementing such a closed-loop system, it may

be possible to increase the battery life of the IPG and also mitigate the adverse effects of continuous stimulation. In [22], a non-invasive DBS system was presented which would run on-demand as an add-on system to the current DBS set-up without any modifications to the stimulating electrodes or the IPG. A stimulation of fixed duration is to be applied and once stimulation is turned off, an algorithm would track certain parameters obtained by processing sEMG and acc signals. The onset of tremor is predicted using a set of thresholds applied to these features. Once the tremor is predicted, the stimulation would be switched on again. The thresholds were set manually for each of the four PD patients and an accuracy of 80.2% with 100% sensitivity was achieved. Since PD is progressive and rapidly changing, this process may not be conducive for a larger number of patients. To automate this process, a Back-Propagation Neural Network (BPNN) was applied in [32, 33]. An overall accuracy of 76% and sensitivity of 92% was obtained for four patients, with sensitivity ranging from 88.9% to 93.3%. Sensitivity of 100% is required to ensure that the patient does not experience tremor during stimulation off period.

Large Memory Storage And Retrieval (LAMSTAR) neural network was applied to one patient in [34]. The performance of LAMSTAR neural network (LNN-1) for one patient was found to be better than BPNN, with 77% accuracy and 100% sensitivity. LAMSTAR is based on the concepts of winner-take-all (WTA) and Hebbian learning. It consists of multiple Self-Organizing Map (SOM) layers which take different features as inputs. Each SOM layer contains neurons of which only one “winner” neuron fires for the given input. By Hebbian learning, the synaptic weights connecting each SOM neuron to the decision layer neurons are increased when that neuron fires for the given output decision neuron. The more probable output is determined by comparing the sum of link weights from the winner SOM neurons to each of the output layer neurons. In [34], LNN-1 was used where link weights are not

normalized. We denote the modified network with normalized link weights as LNN-2, described in the next section.

## 1.6 Goals and outline of this work

In past work [33], Decision Tree (DT) was found to perform better than machine learning algorithms such as BPNN, for prediction of tremor in four PD patients. These set of algorithms were used in offline learning mode where training and testing are done separately and the thresholds (as in DT) or weights (as in BPNN) once set, remain unchanged, irrespective of the changes in the characteristics of the disorder. The goals for designing an effective closed-loop DBS system are:

1. To design an automated tremor prediction algorithm based on non-invasive physiological signals. LNN-1 has been used previously for medical diagnosis and prediction applications such as automated detection of epileptic seizures using features extracted from electroencephalography signals [35] and apnea episodes prediction using submental EMG-based features [36]. If such networks are run in online learning mode, updating link weights with each new instance of data, they can adapt with the changes in symptoms. Use of such algorithms in the design of closed-loop system helps adjust thresholds with progression of the disease. Offline learning methods need to be trained at regular intervals and do not adapt with the changes in disease features. Due to limited duration of data for each patient, we have used offline learning methods for training.
2. To improve the performance of the algorithm so as to increase accuracy by reducing the number of false alarms as well as to obtain 100% sensitivity and make sure that false negatives are minimum. LNN-1 can be improved by normalizing these link weights by the number of times the

winner neuron of SOM layer fires with respect to the corresponding output [37, 38] in LNN-2.

Performance of LNN-2 is also compared with DT in offline learning mode for fair comparison.

3. To analyse the importance of selection of optimal duration of stimulation to maximize the benefit of a closed-loop DBS system. Ratio of stimulation-free time without tremor to the duration of stimulation was compared for different durations of stimulation.
4. To assess the robustness of on-demand systems over chronic use. Though the accuracy of the algorithms is improved, it is essential to check if the algorithms are able to perform well over time.
5. To detect changes in features that may be indicative of pre-tremor duration and can potentially be used for design of adaptive systems.

In this thesis, an on-demand DBS system is presented which is designed using LNN-2 for tremor prediction in eight PD and four ET patients. LNN-2 set-up is explained in detail in the next chapter. The performance and ratio of predicted stimulation-free time without tremor to the duration of stimulation of LNN-2 run for different limb states combined are compared with LNN-2 run for Action and Posture/Rest states separately for 163 trials. The results are also presented for optimal durations of stimulation for each patient. Higher stimulation-free time percentages were obtained for the 59 trials at optimal duration of stimulation in eight PD patients.

The next set of comparisons were carried out for tremor prediction using LNN-2 and DT in offline mode for the same eight PD patients and four ET patients. In DT learning, a binary tree is generated for the given data. Gini impurity is used to decide the feature and the best split at each node. By using the split as a threshold on the selected feature, the data is divided into smaller subsets. Working top-

down, best features and splits are found for these small subsets and the process is repeated till the Gini impurity is zero which is obtained when the data at that node belong to same category. LNN-2 and DT are advantageous over BPNN since the training is faster compared to BPNN, which uses the gradient-descent algorithm and delta-rule for weight updates. They perform well with large datasets and can handle features of different data types. LNN-2 has other advantages such as the fast retrieval feature, the forgetting feature and correlation layer for related attributes, extensively discussed in [38]. Both the methods have properties of transparency and easy interpretability. For LNN, training can be continued during the “testing” phase without any added complexity. Once the initial weights are established, online learning with each new input-word continues during the operational run, allowing the network to keep adapting [38]. For closed-loop DBS, LNN can be enabled to continuously train with new data in a supervised manner by updating weights until the trigger event, tremor, appears. Iterative induction of DT can allow online learning of this algorithm as well which will be compared with LNN in future work. The two algorithms also have certain limitations. DT works in a greedy manner, finding the local optimal solution at each node. It may create a complex overfitted tree which can be overcome by pruning the tree to make it generalize better for new data. The classic LAMSTAR setup uses SOM modules which set the ranges in an unsupervised manner for each feature. For small dataset where clusters are not well-defined, unsupervised setting of thresholds may lead to not obtaining the required set of thresholds or using more neurons than required. This can be fixed by using a supervised binning method followed by the WTA principle. LNN-2 performed better than DT for both PD and ET patients.

The training of these machine learning algorithms has to be done separately for each patient since the symptoms and the signal features may be patient specific. A state-classifier needs to be designed

to accurately classify between Action and Posture / Rest states before the feature set is input to the corresponding tremor-predictor. We also intend to carry out data collection in free-moving patients to analyse the feasibility of wearable-based closed-loop DBS systems. The system can be used as an add-on system to the market-available open-loop DBS systems including the kind with rechargeable IPG batteries. The non-invasive wearable with sEMG and acc sensors can send trigger signals on prediction of onset of tremor to the telemetry module of the IPG and start the fixed optimal duration of stimulation. Tremor-predictor algorithm can adapt to the disease progression by learning online with each new instance of data. The conclusions and future work is discussed in the last chapter.

## CHAPTER 2

### DATA COLLECTION AND MEASUREMENT OF DEGREE OF BENEFIT OF ON-DEMAND DBS

*Some sections of this chapter were published in Daniel Graupe, Nivedita Khobragade, Daniela Tuninetti, Ishita Basu, Konstantin Slavin, Leo Verhagen Metman: Who may benefit from on-demand control of DBS: a non-invasive Parkinson patients evaluation, Neuromodulation: Technology at the Neural Interface, 2018.*

On-demand control of DBS in PD is based on the observation that interruption of stimulation is followed by a finite period that is free of PD symptoms with tremor being the first symptom to reemerge [26]. Such a system can be realized via non-invasive add-on surface EMG sensors placed on the patient's limbs to predict tremor. These sensors would communicate the "stimulation on" trigger to the IPG through an external device as in Medtronic Activa PC + S and Nexus-D interfacing system. In the following two sections, the procedures for patient recruitment and data collection are described along with test process for determination of degree of benefit of on-demand DBS system to individual PD patients.

#### 2.1 Data collection

Nine patients with tremor-dominant PD and six patients with ET were recruited from the Movement Disorder Clinic at Rush University Medical Center in Chicago. The data collection was carried out at

University of Illinois at Chicago, Neuroscience Center under the UIC-IRB 2008-0971. Inclusion criteria for recruiting patients in this study were:

- patient is affected by TDPD or ET with tremor in one or more limbs ,
- patient has FDA-approved Medtronic DBS systems implanted in the STN or VIM at least 3 months before (details in Table 2.1),
- symptoms are well-controlled by medication and stimulation.

The patients were made aware of HIPAA compliance and informed consent was obtained before recording the data. All patients were on their usual medication during the recording session. One of the nine PD patients (PD6) was called for a second session since he had prolonged tremor-free period after withdrawal of stimulation and made for a good candidate for this study. One of the six ET patients (ET1) also had two separate sessions. In all, ten PD datasets (163 trials) and seven ET datasets (144 trials) were collected from nine PD and six ET patients. One patient (PD9) and two ET (ET5 and ET6) were excluded since the patients did not have well-controlled tremor which reappeared as soon as the stimulation was switched off.

To extract tremor predictive information non-invasively, sEMG and acc signals were measured from the tremor-dominant limbs of nine PD and six ET patients. Two different set-ups were used for the data collection with the only difference being in the sensors used. Figure 2.1 shows both the set-ups used for data collection. Placement of sEMG sensors on Extensor and Flexor muscles and a separate accelerometer sensor placed on the dorsal side of the tremor-dominant hand for the first set-up are shown in (a) and (c). The second set-up where wireless sEMG sensors with in-built accelerometers were placed on the Extensor and Flexor muscles are shown in (b), (d), (e) and (f).

TABLE I

DETAILS OF PATIENTS AND DBS SETTING PARAMETERS

Patient	Age	Gender	Implanted in (Year)	Amplitude	Frequency (Hz)	Pulse width ( $\mu$ s)	Contacts	Hand tested
PD1	46	M	2008	2.8 V	180	80	1-0+	Right
PD2	45	M	2002	2.5 V	185	60	1-2-C+	Left
PD3	52	F	2004	2.8 V	185	120	0-C+	Right
PD4	60	F	2009	2 V	145	60	1-3-C+	Right
PD5	60	F	2009	2.6 mA	125	450	1-3+	Right
				2.6 mA	125	90	3-0+	Right
PD6	69	M	2011	3.9 V	130	80	1-C+	Right
PD7	67	F	2001	3.5 V	185	120	1+2-C+	Right
PD8	62	M	2012	3.1 V	160	80	1-2-C+	Right
ET1	64	M	2002	2 V	150	90	2-C+	Right
ET2	67	M	2010	1 V	130	120	1-C+	Right
				1.4 V			5-6-C+	Left
ET3	51	M	2010	2.3 V	185	60	9-C+	Right
ET4	62	F	2007	2 V	185	90	0-C+	Right

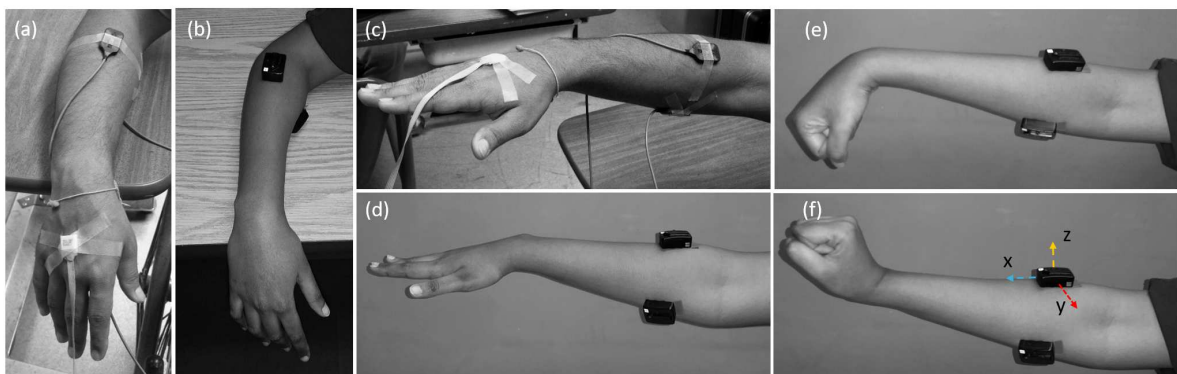


Figure 2. Set-ups for acquisition of sEMG and accelerometer signals during Resting, Posture and Action states

In the first set-up for eight patients (PD1 to PD4, ET1 to ET4), a Coulbourn type V94-41 miniature solid-state piezoresistive accelerometer sensor was placed 2 cm proximal to the middle metacarpophalangeal joint. sEMG was recorded in the first set-up using Delsys Bagnoli system. sEMG was recorded from the extensor digitorum communis and flexor digitorum profundus (forearm extensor and flexor muscles respectively) of the patient. Since tremor frequencies are different during relaxed states and during active states, multiple trials were carried out in three different states of Resting, Posture and Action. Figure 2.1 (a) shows Resting state where the arm is relaxed and is placed on a support. Posture state is shown in Figure 2.1 (c). Here, the arm is extended and held in a steady position.

In the second set-up for seven patients (PD5, PD6\_1, PD6\_2, PD7, PD8, PD9, ET5, and ET6), Delsys Trigno wireless sensors were used for measuring muscle activity. These devices also consist of in-built tri-axial accelerometer sensors; therefore, no additional accelerometer sensor was used. The wireless sEMG sensors minimize any motion artifacts. Figures 2.1 (b) and 2.1 (d) show Resting and Posture states, respectively. Figures 2.1 (e) and 2.1 (f) show the Action state where wrist extension and flexion was carried out continuously. Baseline recording was also done to ensure correct placement of the sensors. Sampling rate of sEMG and acc sensors in the first set-up was 1000 Hz where as in second set-up, the sEMG and acc signals were sampled at 1926 Hz and 148 Hz, respectively. Both the Delsys sEMG sensors, Bagnoli and Trigno, have in-built band-pass filtering 20 Hz and 450 Hz to reject movement artifacts as well as high-frequency noise. The tremor information, which lies in 5-12 Hz, can be recovered by envelope detection [22].

Patient was seated on a chair in an upright position with arms resting on a supporting surface as in Figures 2.1 (a) and 2.1 (b). Programmer interface which controls IPG, was placed on the IPG to

switch the DBS on or off. DBS was switched off at the beginning of the trial, followed by stimulation for a fixed duration. Stimulation remained in “off” state till tremor reappeared. sEMG and acc signals were recorded for the whole trial. Multiple trials were carried out for different durations of stimulation (*DS*: 20, 30, .. upto 80 seconds) and different states of resting, posture and action. In posture state, the patients arms were held out in an extended position with no support (Figures 2.1 (c) and 2.1 (d)). This posture was maintained without much movement. In the action state, the patient was asked to perform a task such as extending and flexing the wrist or reaching for the opposite shoulder (Figures 2.1 (e) and 2.1 (f)). Timestamps were noted for the events when stimulation was stopped, voluntary movement was started (action or posture) and tremor was observed after the stimulation was switched off.

Raw signals measured from the extensor muscle for Action trial are shown in Figure 3: sEMG (top) and y-axis signal of tri-axial accelerometer (bottom). Dashed black line indicates the time where stimulation was switched off. Vertical dashed green line shows the time of start of voluntary movement and red vertical line indicates the time of observed onset of tremor.

## **2.2 Degree of Benefit**

During the recordings conducted over multiple patients, it was observed that the duration of time before tremor returned varied from patient to patient with some having the tremor return in less than 20 seconds after DBS was switched off and some having tremor not return for even more than three minutes. This showed that an on-demand DBS system may be more beneficial for some patients compared to others, given the predictions are made accurately as well as not too early compared to the actual observed tremor. Considering that the maximum benefit would be achieved with perfect prediction, the effectiveness of on-demand on-off DBS control for individual patients was quantified by calculating

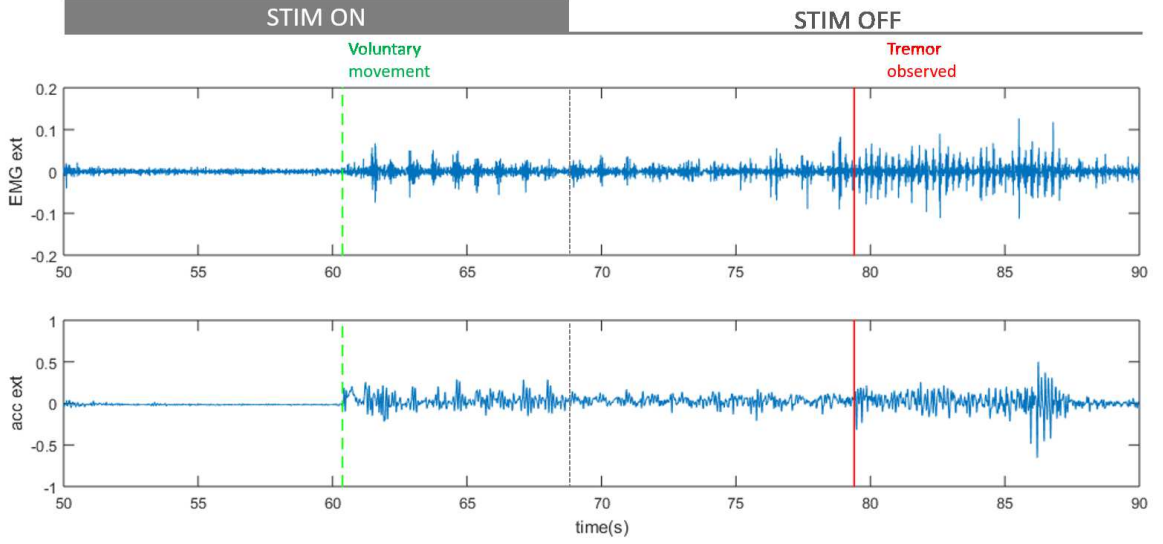


Figure 3. Raw sEMG and acc signals: the data collection protocol with fixed duration of stimulation between 20-80 s

the ratio of stimulation-off duration without tremor to the stimulation-on period. Higher ratio indicates greater benefit for such patients. Parameter  $R_o$  is defined as the observed ratio of stimulation-free time without tremor to the DS given by:

$$R_o = \frac{(T_{trem} - T_o)}{(T_o - T_s)} = \frac{(T_{trem} - T_o)}{DS} \quad (2.1)$$

where  $T_s$  denotes time of start of stimulation,  $T_{trem}$  is the time of reappearance of tremor before restarting stimulation,  $T_o$  is the time of end of stimulation, and  $DS = (T_o - T_s)$ .  $R_o$  metric was calculated for all testing cycles during resting, postural, and kinetic states. Stimulation of different durations were

applied and the time of return of tremor was noted. It was observed that tremor may return in around the amount of same time or less even if the DS was higher indicating that longer DS may not be required and should be selected so as to maximize the  $R_o$  value.

Another metric to quantify the  $R_o$  information is the percentage of stimulation-free time which is more intuitive to understand given their values. The  $R_o$  values lead to the derivation of the percentage of stimulation-free time of the total time which is given by:

$$P_{sf}(\%) = \frac{R_o}{(1 + R_o)} \cdot 100 = \frac{(T_{trem} - T_o)}{(T_{trem} - T_s)} \cdot 100 \quad (2.2)$$

For an average  $R_o$  of 1, the percentage  $P_{sf}(\%)$  is 50% of total time, while  $R_o$  yields  $P_{sf}(\%)$  of 80%. The trials described in the previous section consisted of DS in increments of 10 seconds for which the average of  $R_o$  ratio is given in Table II.

### 2.3 Optimal Duration of Stimulation

For an on-demand DBS system, larger is the  $R_o$ , the higher is the  $P_{sf}(\%)$  and the better may be the patients benefit. It is, therefore, essential to find the optimal  $DS^*$  which maximizes this ratio,  $R_o$ , thereby maximizing the  $P_{sf}(\%)$ . Table II lists the  $R_o$  values for DS durations of 20-80 seconds with the maximum value given in bold for all the movement modes combined. The DS corresponding to the maximum  $R_o$  is the optimal duration of stimulation for the patient. For patients PD1, PD4, PD6, and PD8, tremor did not reappear till the end of cycle for some trials. The cycle was ended due to time restriction and time at the end of trial was used for calculation of  $R_o$ . This metric may, therefore, have been higher than the value given in the table and is indicated by a + symbol.

The optimal duration of stimulation ( $DS^*$ ) can be selected based on the highest ratio on average for a given  $DS$  and is given along with  $P_{sf}$  (%) at  $DS^*$  in Table III. Average  $R_o$  at  $DS^*$  are given individually for the kinetic, postural and resting states with their corresponding number of tests. The same trend of higher  $R_o$  using optimal  $DS^*$  was observed in all patients during different states of resting, postural, and kinetic action of the tremor-dominant limb. Tests on one of the patients (PD3) were carried out at  $DS$  of 40 and 50 sec and were inadequate for this study. As a result, best  $DS^*$  was not examined for patient PD3. Therefore, the results for PD3 could not serve for comparison when analyzing the results that involve performance at optimal  $DS^*$ .

#### 2.4 Who benefits from on-demand DBS system?

$P_{sf}(\%)$  gives the maximum possible percentage of time which would be stimulation-free with no tremor. In three of these eight patients, the average  $R_o$  is greater than 1, namely, 1.069 for PD4, 4.239 for PD6, and 2.07 for PD8, which means  $>50\%$  stimulation free time at these optimal  $DS^*$ , while all the rest have an average  $R_o$  from 0.554 to 0.836 which on average gives 35% stimulation free time. We note that certain tests of PD1, PD4, PD6, and PD8 had to be terminated for lack of time before tremor could be observed. Therefore, in these tests, the average values of  $R_o$  might have been higher than is tabulated. In individual trials counted toward the tabulated averages,  $R_o$  was as high as 9.9 (case of PD6), and even this test was interrupted before any tremor was observed due to time limitations).

The results in Table III indicates that there exists a subset of PD patients that may benefit rather significantly from on-demand control. Using metrics,  $R_o$  and  $P_{sf}(\%)$ , the possible benefit of on-demand DBS system can be evaluated; however, in practice, the  $P_{sf}(\%)$  depends on the performance of the

predictive algorithm. A similar metric as  $R_o$  can be used to evaluate the average stimulation-free time when using an on-demand system. This can be given as:

$$R_p = \frac{(T_{pr} - T_o)}{DS} \quad (2.3)$$

where  $T_{pr}$  is the predicted time of reappearance of tremor before restarting stimulation,  $T_o$  is the time of end of stimulation, and  $DS$  is the duration of stimulation.

By maximizing the stimulation-free time without tremor by making accurate prediction of tremor, the side-effects such as speech dysarthria may potentially be reduced. Based on the  $DS^*$  and  $R_o$  values, the benefit of on-demand DBS for a patient given their side-effects to DBS can be evaluated by the clinician. More patients need to be tested to decide if the observation of symptoms other than tremor would help in selection of  $DS^*$  in patients with non tremor-dominant PD.

TABLE II. AVERAGE  $R_o$  AT DIFFERENT DS FOR PD1 - PD9

Patients	Average $R_o$ at $DS$ (sec)						# of tests	
	20	30	40	50	60	80	at all $DS$	with no tremor
PD1	-	<b>0.68+</b>	0.39	-	-	-	16	2
PD2	<b>0.84</b>	0.63	0.52	0.43	-	-	26	0
PD3	-	-	0.3	0.15	-	-	17	0
PD4	<b>1.069+</b>	0.87	0.76	0.59			32	2
PD5	-	<b>0.554</b>	0.3	0.1	0.21	0.145	20	0
PD6	-	<b>4.24+</b>	-	0.96	-	-	29	12
PD7	-	<b>0.73</b>	-	0.16	-	0.22	9	0
PD8	-	<b>2.07+</b>	1.29	0.234		-	14	2
PD9	-	0.585	-	0.14		-	4	0
Total							167	18

TABLE III. AVERAGE  $R_o$  AT  $DS^*$  FOR KINETIC, POSTURAL AND RESTING MODES

Patients	Average $R_o$ at $DS^*$ (sec)						$P_{sf}(\%)$ at $DS^*$
	Kinetic	# of tests	Postural	# of tests	Resting	# of tests	
PD1	0.96	3	0.31	3	0.84	2	40.48
PD2	1.09	1	0.80	3	0.76	2	45.36
PD3	-	-	-	-	-	-	
PD4	0.46	2	1.32	3	1.23	3	51.69
PD5	-	-	0.69	1	0.42	1	35.48
PD6	2.81	11	5.43	7	5.46	6	80.88
PD7	1.48	1	0.50	1	0.18	1	44.13
PD8	0.44	4	1.83	4	8.14	1	67.43
PD9	0.80	1	-	-	0.37	1	36.95
Total		23		22		17	

## CHAPTER 3

### FEATURE EXTRACTION AND DESIGN OF TREMOR PREDICTION ALGORITHMS

*Some sections of this chapter were published in Nivedita Khobragade, Daniel Graupe, Daniela Tuninetti: Towards fully automated closed-loop Deep Brain Stimulation in Parkinson's disease patients: A LAMSTAR-based tremor predictor, Engineering in Medicine and Biology Society (EMBC), 37th Annual International Conference of the IEEE, August 2015 ©and some sections are to be submitted for publication.*

In this chapter, feature engineering from the sEMG signals to extract information related to onset of tremor and the setups of different machine learning algorithms for the design of an on-demand DBS system, are described.

#### 3.1 Pre-processing and Feature Extraction

Attributes for the machine learning algorithms were extracted by performing spectral, entropy and recurrence quantification analysis on extensor and flexor sEMG. Spectral analysis was also carried out on acc signal. In case of the first set-up, accelerometer sensor measured the magnitude of the signal recorded from the location shown in Figure 2.1 (a). For the second set-up, each of the sensors placed on extensor and flexor, recorded accelerometer along the three axes. We found that for these locations, it was more useful to consider each axis information separately than the magnitude.

The raw sEMG signals were smoothened first, by calculating the power over a window of 50 *ms* at every sample. Spectral, entropy and recurrence parameters were then calculated over sliding windows of 1 second with an overlap of 750 *ms* of the smoothened sEMG and acc signals as in [22]. Following is a description of the features used for tremor prediction:

### 3.1.1 Spectral measures

Tremor information typically lies in 4-6 Hz frequency band for resting tremor and around 7-11 Hz for postural/kinetic tremor [13]. The power of the smoothed sEMG was found to be concentrated in 0-40 Hz range. Measures such as the frequency with maximum power over the tremor band and the mean frequency were calculated to provide predictive information related to tremor. The power spectral density of smoothed sEMG was calculated over 1-second windows using 512-point Fourier transform. This gives the power  $P_k$  of the signal at frequency bands centered around  $f_k$ ,  $k \in \{1, \dots, N\}$  where  $f_N - f_1$  is the signal bandwidth. We omit the 0-3 Hz band which contain the DC component and very low frequency movement artifacts. Since the power of patient-specific tremor frequency in 4-10 Hz band is expected to increase at the onset of tremor, we calculate  $F_{\max}$ , the frequency with maximum power ( $P_{\max}$ ) in this frequency range of our interest,  $f_B - f_1$  where  $f_1$  is 4 Hz,  $f_B$  is 10 Hz,  $f_N$  is 40 Hz,  $B=7$  and  $N=36$ . The index ( $j^*$ ) of the frequency with maximum power ( $f_j^*$ ) is defined as:

$$j^* = \arg \max_{j \in \{1, \dots, B\}} \{P_j\}, \quad (3.1)$$

and the power ( $P_{\max}$ ) at peak frequency ( $F_{\max}$ ) is defined as

$$P_{\max} = \frac{P_{j^*}}{\sum_{j \in \{B+1, \dots, N\}} P_j}, \quad (3.2)$$

$$F_{\max} = f_{j^*} \quad (3.3)$$

$P_{\max}$  is normalized by the power outside the bandwidth of interest so the power is comparable over different trials. This metric in (Equation 3.2) can be interpreted as the signal-to-noise ratio.

Relative power ( $P_{\text{rel}}$ ) was also calculated to measure the total shift of power towards the 4-10 Hz band using the following:

$$P_{\text{rel}} = \frac{\sum_{j \in \{1, \dots, B\}} P_j}{\sum_{j \in \{1, \dots, N\}} P_j}, \quad (3.4)$$

The mean frequency gives the expected frequency over the spectrum of 3-40 Hz and is given as:

$$F_{\text{mean}} = \frac{\sum_{k=1}^N f_k P_k}{\sum_{k=1}^N P_k}. \quad (3.5)$$

Wavelet analysis was also carried out to calculate mean power of the signal in its wavelet bands. Using Daubechies4 discrete wavelet transform (DWT), the sEMG signal was decomposed into  $M=10$  bands. The signal component in the  $j$ -th frequency band,  $j \in \{1, \dots, M\}$  is given as  $x_j(t)$  over a window of  $\Delta T = 1$  s. Mean power of  $x_j(t)$  is calculated as:

$$\overline{P_j} = \frac{1}{\Delta T} \sum_{t \in \Delta T} |x_j(t)|^2 \quad (3.6)$$

These spectral measures were also calculated for the acc signal.

### 3.1.2 Entropy measures

Wavelet Entropy (WtEn) was calculated to measure the degree of disorder based on the normalized power in different wavelet bands of the smoothed sEMG. The normalized power of  $x_j(t)$  can be treated as a probability mass function for calculating  $WtEn$  and is given as:

$$p_j(t) = \frac{|x_j(t)|^2}{\sum_{k=1}^M |x_k(t)|^2}, \quad j \in \{1, \dots, M\} \quad (3.7)$$

Using the definition of entropy,  $WtEn$  can be computed as:

$$H_{wt}(t) = \sum_{j=1}^M p_j(t) \log \frac{1}{p_j(t)} \quad (3.8)$$

For a periodic signal, value of  $WtEn$  will be low since the normalized power is concentrated in one of the wavelet levels and a limited power is contained in the remaining wavelet levels. In contrast, for a disorderly signal,  $WtEn$  will be high as there will be significant contributions from all the wavelet bands.

Sample entropy was calculated for assessing the complexity of the smoothed sEMG signal. This metric evaluates self-similarity of a data series and is calculated as the negative logarithm of the conditional probability that two sub-sequences of the series of a given length that match within a given

tolerance also match when the length is increased by one. Given these parameters of similarity tolerance criterion,  $r$ , and the pattern length of the sub-sequence,  $m$ , we can compute the sample entropy of a series  $U = \{x(i), i \in \{1, \dots, L\}\}$  where  $L$  is its length. A set of sequences of  $U$  of pattern length  $m$  was constructed and is given as  $\mathbf{x}_m(i) = [x(i), \dots, x(i + m - 1)]$  for  $i \in \{1, \dots, L - m + 1\}$ . The  $\ell_\infty$  distance between two sequences  $\mathbf{x}(i)$  and  $\mathbf{x}(j)$  was calculated as:

$$d_\infty[\mathbf{x}(i), \mathbf{x}(j)] = \max_{k \in \{1, \dots, m\}} |x(i + k - 1) - x(j + k - 1)|.$$

For the created sequences in the set, we find the matches within the similarity criterion as:

$$B_i^m(r) = |\{j : d_\infty[\mathbf{x}_m(i), \mathbf{x}_m(j)] \leq r\}| \quad (3.9)$$

for  $i, j \in \{1, \dots, L - m\}, i \neq j$ . Self-matches are not considered in Sample entropy, unlike approximate entropy where lower values may be obtained due to self-matches leading to signals being interpreted as more regular than they are. Let

$$B^m(r) = \sum_{i=1}^{L-m} B_i^m(r), \quad B^{m+1}(r) = \sum_{i=1}^{L-m} B_i^{m+1}(r). \quad (3.10)$$

The sample entropy,  $\text{SpEn}(U, m, r)$ , is then defined as:

$$\text{SpEn}(U, m, r) = \lim_{L \rightarrow \infty} -\log \frac{B^{m+1}(r)}{B^m(r)}. \quad (3.11)$$

A lower  $\text{SpEn}(U, m, r)$  value reflects more self-similarity in the series and therefore, a high degree of regularity. Parameter values of pattern length and tolerance were taken as  $m = 3$  and  $r = 0.15\sigma$ .

### 3.1.3 Recurrence Quantification Analysis (RQA)

RQA analysis of sEMG was performed to assess motor unit synchronization. It has been extensively used for analysis of sEMG for detecting hidden characteristics that cannot be detected by linear analysis [39,40]. This nonlinear method measures the complexity of a time series by quantifying the number and duration of recurrences presented by the phase space trajectory of the dynamic system. The recurrence rate is calculated as the density of recurring point in the recurrence plot.

Recurrence plot or recurrence matrix (RM) for the series  $U$  was computed as follows:

$$R_{i,j} = \Theta(r - \|\mathbf{x}_i - \mathbf{x}_j\|), (i, j) \in \{1, \dots, L - (M - 1)\tau\} \quad (3.12)$$

where,  $\mathbf{x}_i = [x(i), x(i + \tau), \dots, x(i + (m - 1)\tau)]$  for  $i \in \{1, \dots, L - (M - 1)\tau\}$  is a vector of length  $m$ ,  $\|\cdot\|$  is the Euclidean norm,  $r$  is the radius,  $\Theta$  is the Heaviside function,  $M$  is the embedding dimension,  $\tau$  is the time delay, and  $L$  is the length of the time series  $U$ .

From  $R_{i,j}$ , the recurrence rate  $R$  is calculated as:

$$R = \frac{1}{P^2} \sum_{i,j} R_{i,j}. \quad (3.13)$$

$R$  is more sensitive to changes in the degree of synchronization than linear variables such as mean/median frequency [40].

We used  $M = 5$ ,  $\tau = 3$ ,  $r = 0.33$ ,  $L = 1000$  as described in [41].

### 3.2 Machine Learning Algorithms

In [22], a manual algorithm was used for the design of a closed-loop DBS system. The process of setting the thresholds manually for different parameters to predict the advent of tremor can be challenging. A Back-propagation neural network (BPNN) was used to automate the process as described in [32] for 2 PD patients but was unable to achieve 100% sensitivity. Another neural network, LNN-1, was proposed for tremor prediction in [34]. Preliminary results of training LNN-1 with data from 1 patient showed that it performed better than the BPNN. Here, we present the set-ups of automated tremor prediction algorithms using DT and modified version of LNN-1 i.e. LNN-2. We used the same set of features for both the algorithms. Training and testing data consisted of these attributes for each trial after the stimulation was switched off to the End of File (EOF). Detailed description of each of the algorithms is given in this section.

#### 3.2.1 Modified LAMSTAR Neural network

Large Memory Storage and Retrieval neural network, as the name suggests, can store and retrieve a large number of patterns. The classic setup of this neural network is based on the concepts of Kohonen's Self-organizing map (SOM) and Hebbian learning. Figure 4 shows the structure of LNN comprising of 9 SOM layers and one output layer. LNN input "word" consists of attributes or "subwords" extracted from sEMG and Acc. Here, an instance of feature set used for prediction algorithm is shown. The attributes are fed to their respective SOM layer. Each layer  $i$  consists of  $N_i$  neurons. A representative example of winner neurons for a given set of SOM layers is shown. The shaded boxes represent the winner neurons at a time instant. Each of the  $N_i$  neurons in each SOM layer are connected to the output

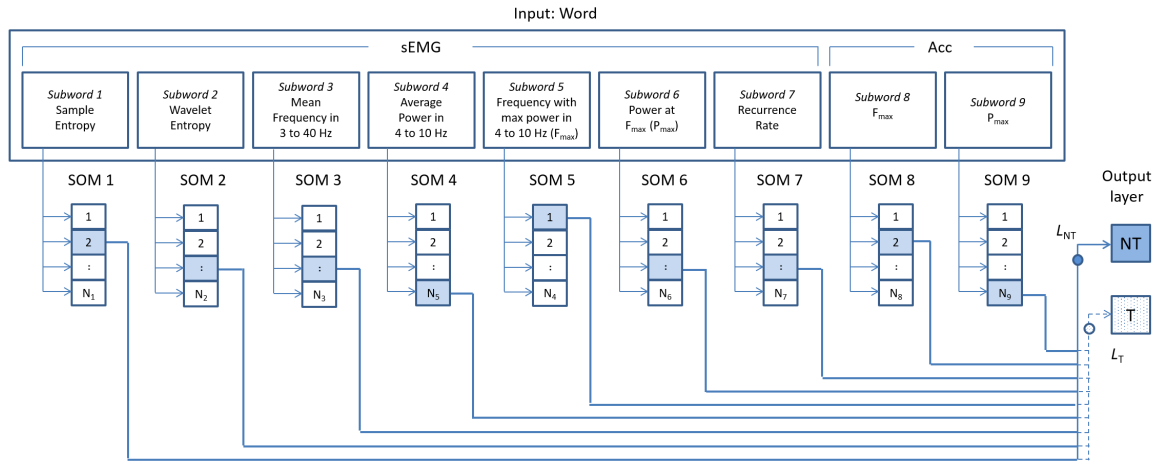


Figure 4. Architecture of LNN consisting of self-organizing maps and output layer connected by link weights that update based on Hebbian learning

layer via Link weights. Link from winner neuron of each layer to output neuron related to the event of “No tremor” (NT) or “Tremor” (T) are rewarded or punished. The weight of these links represent the strength of associations between the neurons, similar to synaptic weights in the nervous system. Output NT or T is decided by comparing the sum of link weights from the winner neurons to the output neurons,  $\sum L_{NT}$  and  $\sum L_T$  respectively normalized by the number of times a neuron activates in association with NT or T. Output neuron corresponding to greater of the sums of mormalized link weights wins. We first describe the Winner-Take-All (WTA) layers in this setup, followed by the supervised link weight update.

The input to this network is called a “word”, consisting of an instance of the feature set. Each word is split into subwords that are fed to separate SOM layers. For the eight PD and four ET patients, 8-12 features were selected from the extracted set corresponding to 8-12 layers. These SOM layers contain

a fixed number of neurons and follow Winner-Take-All (WTA) principle i.e. only one neuron in each SOM layer will fire for a given instance of data. SOM is an unsupervised method used for clustering where the winner of each module is determined by finding the neuron with minimum distance from a given input vector. The number of neurons can be predetermined or set dynamically, thus dividing the feature space into different regions. The binning of these WTA layers can also be performed by other discretizing methods than the conventional SOM binning. These include unsupervised methods such as equal width, equal frequency and supervised methods that use entropy or other metrics to create bins. Minimum Description Length (MDL), a supervised method, is used in this setup since the dataset is small and unsupervised clustering method may not give the optimal boundaries. Class information entropy is used for selection of boundaries. It is a top-down method that starts with one interval and keeps splitting till the criterion is met. The method is given in detail in [42]. For attributes where no partition cut point satisfied the MDL criterion, equal frequency or equal width method was used to create 3-8 bins or neurons.

As shown in the Figure 4, each neuron of each SOM layer is connected to each neuron of the output layer via link weights ( $L_{NT}$  or  $L_T$ ). According to Hebb's rule, if for a set of inputs, certain elements are activated, then by repeated occurrence of these patterns, the activated elements get increasingly strongly associated. For LNN training, these link weights are updated in a supervised manner, either rewarded or punished based on the output class. These links can be treated as synapses of a neuronal network whose weights increase in a Hebbian manner. This update occurs for the link weights from only the winner neurons of all SOM layers. At time  $t + 1$ , the link weights at previous time  $t$  from the winning neuron  $w$  of each module  $k$  to the winning decision neuron  $v$  are rewarded by  $\Delta L$ . Link weights from

the winning neuron  $w$  of each layer  $k$  to all the other non-winning decision neurons  $j$  are punished by  $\Delta M$ . Following are the equations for reward and punishment of the link weights:

$$L_{w,v}^k(t+1) = L_{w,v}^k(t) + \Delta L, \quad (3.14)$$

$$L_{w,j}^k(t+1) = L_{w,j}^k(t) - \Delta M \quad (3.15)$$

When a neuron of a layer fires, the link-weight from this winner neuron to the output neuron of the corresponding class, gets rewarded as in (Equation 3.14). Rest of the link-weights from this winner neuron, get punished as in (Equation 3.15).

Finally, the predicted class is the one with maximum value of the sum of link weights from the winner neurons to each output class neuron. A variation of LNN, known as modified or normalized LAMSTAR, is used here. In case of modified LNN, denoted as LNN-2, the link weights are normalized with respect to the number of times a winner neuron has fired with an associated decision neuron. The number of times a winner neuron  $w$  was activated with an associated decision neuron  $i$  is given by  $n_{w,i}^k$ . The link weights are normalized as given below:

$$L_{w,i}^{k*} = \frac{L_{w,i}^k}{n_{w,i}^k} \quad (3.16)$$

The decision for LNN-2 with K layers and J output neurons, is given by the following equation:

$$\sum_{k \in K} L_{w,v}^{k*} > \sum_{k \in K} L_{w,j}^{k*}, \forall j \in J, j \neq v \quad (3.17)$$

Normalization of link weights, as in LNN-2, has been reported to improve the results compared to the classic LNN setup (LNN-1) [37, 38]. This is especially beneficial in case of unbalanced datasets such as in our case where number of tremor onset datapoints are limited compared to the data where no tremor was observed.

### 3.2.2 Decision Tree Learning

Decision tree model is a popular technique used to produce a set of tree-based rules. The decision tree consists of nodes and leaves where each node represents a condition or rule on an attribute, and the leaves or the terminal nodes signify the decision. This algorithm is trained in a greedy manner by finding the optimal local solution based on Gini impurity of the features for splitting the data. Starting with the root node, the tree is built by recursively dividing the data into smaller subsets using the feature and its split criterion that gives the least node impurity. At each level, node  $n$  is divided into right node  $n_r$  and left node  $n_l$ . The process is recursively carried out till a condition is met, either all the data is classified or till the maximum number of levels are reached. At each level, the descendant subsets are ‘purer’ than the parent dataset and contain majority of one class. This method of space partitioning creates hyper-rectangles and these hyperspaces represent different categories. Gini impurity, the metric used for measuring impurity at each node  $n$ , is given as:

$$i(n) = 1 - \sum_{k=1}^K p(k|n)^2. \quad (3.18)$$

where  $K$  is the total number of decision categories and  $p(k|n)$  is the proportion of class  $k$  at the node  $n$ . The split leads to decrease in impurity,  $\Delta i(s, n) = i(n) - p_l i(n_l) - p_r i(n_r)$  where  $p_l$  and  $p_r$  are the

proportions of classes in left and right nodes, respectively and  $s$  is the split threshold applied to the node  $n$ .  $\Delta i(n)$  gives the measure of goodness of split' and is maximized by selection of the best split. The best split criterion is obtained by selecting the split  $s^*$  giving the largest decrease in impurity, given by:

$$\Delta i(s^*, n_R) = \max_{s \in S} \Delta i(s, n_R) \quad (3.19)$$

In the designed tremor prediction algorithm, DT makes the decision of either tremor predicted or tremor not predicted, denoted as  $T$  and  $NT$ , respectively. The number of categories is  $K = 2$ . The tree can then be pruned to avoid overfitting for the given training data. This step is especially useful for sparse or high-dimensional dataset.

### 3.2.3 Minimax Support Vector Machine

Previously, a Support Vector Machine (SVM) algorithm was also compared to DT with DT performing better. An SVM is suitable for binary classification where an optimal hyperplane is found such that the data is separated by maximum margin. In this work, we used a variation of SVM which uses minimax hinge loss instead of 0-1 loss or hinge loss functions. Figure 5 shows the different loss functions [43]. Minimax hinge-loss is as following, given  $\alpha^*$  the optimal linear predictor for  $n$  samples  $(x_i, y_i)$ :

$$\min_{\alpha} \frac{1}{n} \sum_{k \in 1:n} \max(0, \frac{1 - y_i \alpha^T x_i}{2}, y_i \alpha^T x_i) + \epsilon ||\alpha|| \quad (3.20)$$

In this approach, the minimax hinge loss SVM is implemented by applying sub-gradient descent to obtain the parameters of the SVM model.

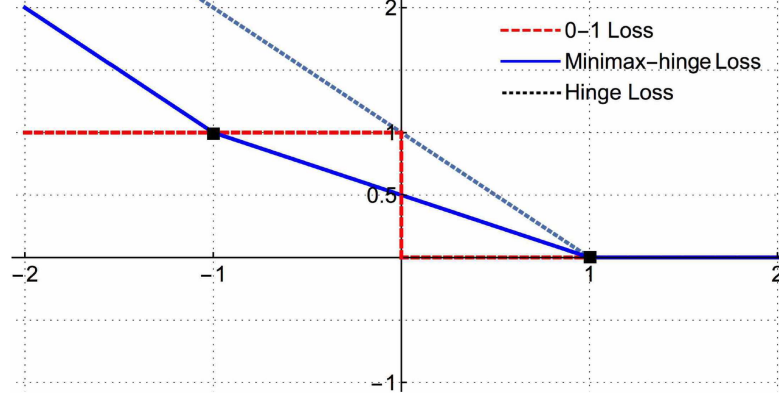


Figure 5. Minimax hinge loss vs 0-1 loss and Hinge loss

### 3.3 Performance metrics

We define the metrics of accuracy, sensitivity and  $\beta$  ratio to best reflect the performance of the algorithms. Figure 6 shows a trial where tremor was observed. Typical events noted during a recording trial include:

1. time when stimulation is switched:  $t_{\text{on}}$ ,
2. time when stimulation is stopped:  $t_{\text{s}}$ ,
3. time when tremor is observed:  $t_{\text{o}}$ , and
4. time where recording is stopped or end-of-file:  $t_{\text{EOF}}$ .

Tremor correctly predicted at time  $t_{\text{p}}$  is showed as an example of *True Positive* or *TP* prediction in second row of Figure 6. Examples of early prediction and late prediction for the given trial are shown as

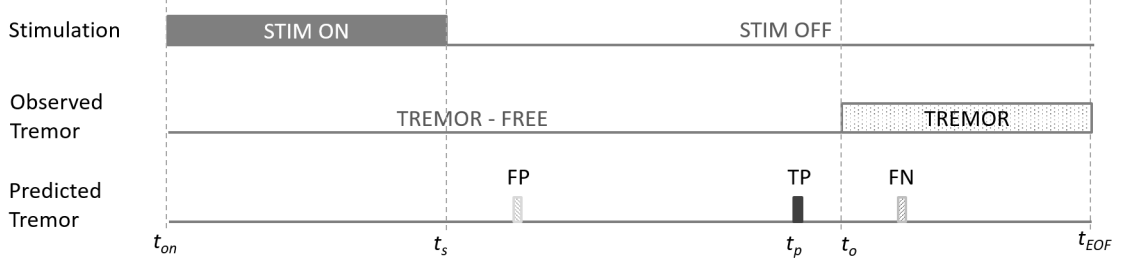


Figure 6. Definitions of  $TP$ ,  $TN$ ,  $FP$  and  $FN$  for tremor prediction using machine learning algorithms

the gray blocks in the third series, indicated as  $FP$  and  $FN$ , respectively, representing *False Positive* and *False Negative*. The algorithms check for onset of tremor only after the stimulation is switched off at time  $t_s$ . The actual tremor is observed at time  $t_o$ .

If the tremor onset is predicted in the second half of the duration from  $t_s$  to  $t_o$ , we say that tremor was correctly predicted and define this trial as a *True Positive* or  $TP$ . If the prediction is made in the first half of the duration of  $t_s$  to  $t_o$ , the prediction is too early and is classified as *False Positive* or  $FP$ . This way, we can penalize early prediction which are not helpful for an effective closed-loop system. We allow prediction in less than 1 s of tremor being observed. If the tremor is predicted beyond 1 s of tremor being detected, then the prediction is too late and is defined as *False Negative* or  $FN$ . In cases where no tremor is observed till the EOF and tremor is not predicted till this time  $t_{EOF}$ , the trial is classified as *True Negative* or  $TN$ .

Based on these definitions of  $TP$ ,  $TN$ ,  $FP$  and  $FN$ , we give the performance metrics as follows:

$$\text{Accuracy}(A) = \frac{\#TP + \#TN}{\#TP + \#TN + \#FP + \#FN} \quad (3.21)$$

$$\text{Sensitivity}(S) = \frac{\#TP}{\#TP + \#FN} \quad (3.22)$$

The sensitivity needs to be 100% so that the patient does not experience tremor when the stimulation is switched off. Accuracy, which gives the ratio of correct predictions to total number of trials should be high. These metrics do not give information about how close the prediction is made to the actual observed tremor. Therefore, we defined ratios  $R_o$ ,  $R_p$  and  $\beta$  to assess the performance of algorithms with respect to how good the prediction is.

$$R_o = \sum (t_o - t_s) / \sum (t_s - t_{on}), \quad (3.23)$$

$$R_p = \sum (t_p - t_s) / \sum (t_s - t_{on}), \quad (3.24)$$

$$\beta = \sum (t_p - t_s) / \sum (t_o - t_s) \quad (3.25)$$

$R_o$  gives the ratio of observed tremor-free time to the duration of stimulation.  $R_p$  gives a similar ratio for predicted delay in tremor. In the trials where tremor was not observed till EOF, we can consider  $t_{EOF} - t_s$  as the tremor-free time.  $R_o$  is then calculated as the ratio of this tremor-free period to the duration of stimulation.  $\beta$  is the ratio of  $R_p$  to  $R_o$ , giving a measure of prediction performance. Closer the number

is to 1, closer the prediction is made to the observed tremor. Average across patients was calculated based on the number of trials in that patient.

Percentage of observed and predicted stimulation-free time are given by  $P_{sf-o}$  (%) and  $P_{sf-p}$  (%), respectively.

$$P_{sf-o}(\%) = \frac{R_o}{1 + R_o} \cdot 100 \quad (3.26)$$

$$P_{sf-p}(\%) = \frac{R_p}{1 + R_p} \cdot 100 \quad (3.27)$$

For example, if  $R_o$  is equal to 4, stimulation can be off for 80% of the total time. The effective percentage of battery power that can be saved is  $P_{sf-p}$  for the actual closed-loop tremor prediction system. Weighted average for a performance metric is given as  $\sum_{i \in 1, \dots, 8} (n_i \cdot M_i) / \sum_{i \in 1, \dots, 8} (n_i)$  where  $n_i$  is the number of test trials and  $M_i$  is the performance metric for patient  $i$ .

## CHAPTER 4

### COMPARISON OF PERFORMANCE OF TREMOR PREDICTION ALGORITHMS

*Results from this section to be submitted for publication.*

#### 4.1 Tremor prediction results

Performance of tremor prediction algorithms is evaluated here where the algorithms are trained in offline learning mode such that the algorithm parameters are set during the training phase and remain unchanged during the testing phase. For the patients with two sessions of recordings, trials from the same session were used for training and testing. LNN-2 and DT were run for all states combined as well as for state-specific mode. Both the algorithms did not perform as well for when trained for all states together, giving early predictions and low  $\beta$  ratio. This is expected since the movement action could be misclassified as tremor onset. When trained for all states, tremor onset may also be misinterpreted as action, leading to low sensitivity. Rest of the results are presented for algorithms when trained for state-specific mode. This initial separation of action from posture and rest states lead to higher  $\beta$  ratio and sensitivity. Following are exemplars of features used and the resulting cases of  $TP$ ,  $FP$  and  $TN$ .

Figure 7 – Figure 10 show set of sEMG and acc based features for  $TP$ ,  $FP$ , and  $TN$  cases during Rest, Action and Posture states. Same set of features were used for training of both DT and LNN-2 for fair comparison. Figure 7 displays a resting state trial with stimulation duration of 30 s. Smoothed extensor sEMG and its sample entropy are given in top two rows, and power in 4-10 Hz of accelerometer signal with raw triaxial accelerometer signals are shown in bottom two rows. Black dot-

dashed line shows where the stimulation was switched off, red line indicates where tremor was actually observed. The tremor was observed at 250 s giving a high  $R_o$  ratio of 6.45. LNN-2 correctly recognizes onset of tremor within 1 s of actual reappearance of tremor. Gray line indicates where DT made an early prediction for state-specific training and dashed blue line shows where tremor was correctly predicted by LNN-2 for separately training Action and Posture/Rest modes.

Figure 8 shows the drop in sEMG sample entropy and an increase in accelerometer power in 4-10 Hz at 250 s of this same trial when tremor reappears after switching off the stimulation in previous “rest” trial. Both these parameters indicate the start of periodic tremor oscillations. Raw acc signal shows prominent tremor oscillations which is reflected by the increase of acc power in 4-10 Hz. Red vertical line indicates observed tremor and dashed blue line indicates tremor “prediction” by LNN-2. The delay in “prediction of tremor” is by 0.5 s which is acceptable since the onset of tremor is just setting in. DT predicts the tremor earlier at 151 s but with a high  $R_p$  of 2.97. Small oscillations are seen in the accelerometer signals; however, a corresponding drop in sample entropy or increase in acc 4-10 Hz power was not observed at this time. This was also classified as  $TP$ .

Figure 9 shows Smoothed sEMG, its sample entropy and recurrence rate during an Action state trial with stimulation duration of 50 s. Green dashed line shows start of voluntary movement, black dot-dashed line indicates stimulation “off” time and red line shows the time when tremor was observed. Gray and Dashed blue line show comparison between training for combined states vs training separately for the states. An early prediction ( $FP$ ) was made by both DT and LNN-2 when they were trained for the Action, Posture and Rest states together. Early prediction, shown by the gray line, may be due to mistaking movement as tremor onset (*False Positive*). When “Action” files are trained separately,

both DT and LNN2 correctly identify onset of tremor around a second prior than when the tremor was actually observed (*True Positive*). Prediction was made at 69.75 s and 69 s, with a  $\beta$  of 0.98 and 0.94, by DT and LNN-2, respectively. .

An exemplar of *TN* is illustrated in Figure 10. Smoothed extensor sEMG and features extracted from this signal, namely, sample entropy and power in 4-10 Hz, are given for a trial during “Posture” mode (stim duration = 30 s). Green dashed line indicates the start of voluntary movement and black dot-dashed line shows where the stimulation was switched off. In this trial of “Posture” state (stimulation duration of 30 s), no tremor was observed even after 120 s of stimulation being switched off. Postural movement was initiated at 58.5 s and some movement can be observed in the acc signal. Both DT and LNN-2, when trained for all states together as well as for state-specific training, accurately, did not predict tremor till the EOF. Accelerometer signals are also shown in the bottom row for x, y and z axes.

#### 4.1.1 PD

Comparison of LNN-2 and DT performance metrics is shown in Table IV for PD patients for all *DS*. The total number of trials ( $N_{to}$ ), the number of training trials ( $N_{tr}$ ) and that for testing ( $N_{te}$ ) are listed as well. For each PD patient, 65-75% of total files were used for training the algorithms. Both the algorithms were trained separately for Action and Posture / Rest states. A and S columns give the accuracy and sensitivity (%) achieved by DT and LNN-2 for each patient. Bottom rows give the total number of files, total number of TP, TN, FP and FN, along with weighted average of accuracy and sensitivity (%) across all PD patients. LNN-2 performs better with sensitivity of 100%. For trials at all *DS*, sensitivity of DT is not 100% due to one FN. The total number of files for PD7 is 9; however, only 2 of the files were in action mode. This made training for action mode separately not feasible for this

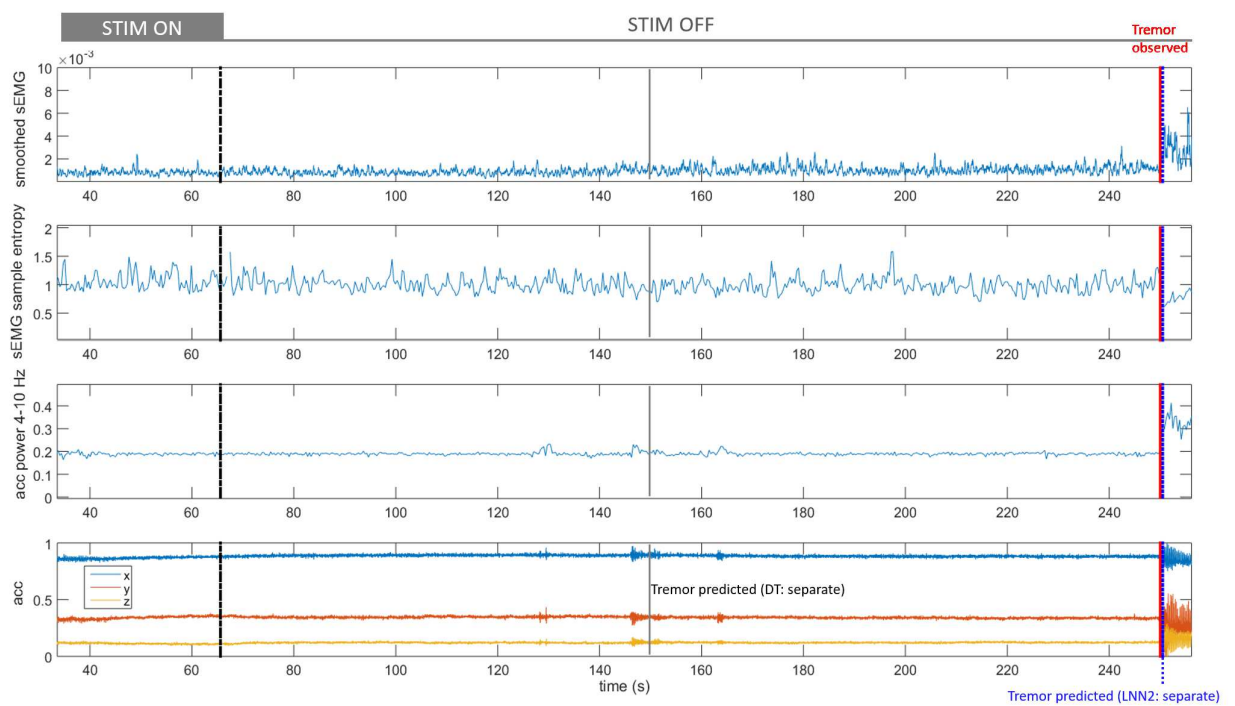


Figure 7. A "Rest" trial (stim duration = 30 s) with *True Positive* prediction

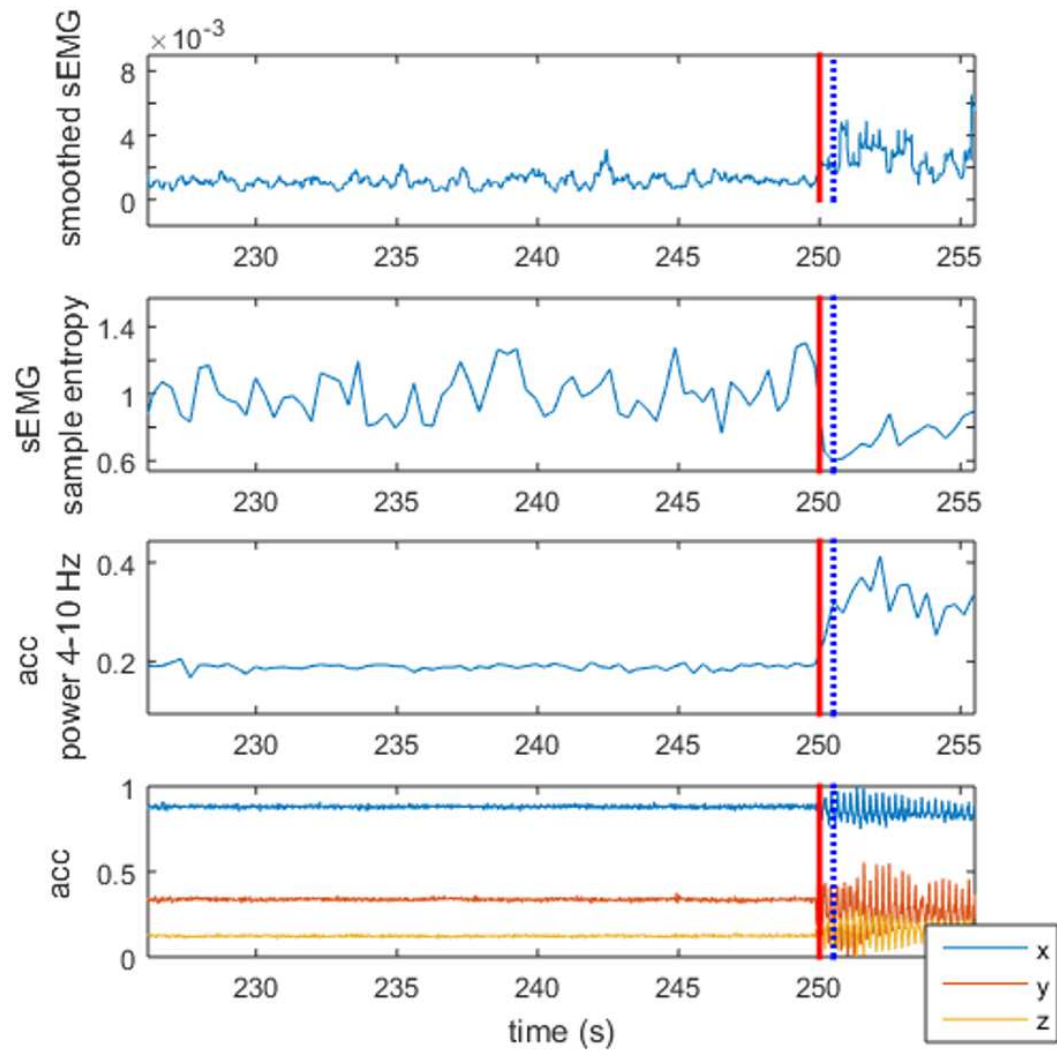


Figure 8. Zoomed-in plot of sEMG and acc features for "Rest" trial with *True Positive* prediction

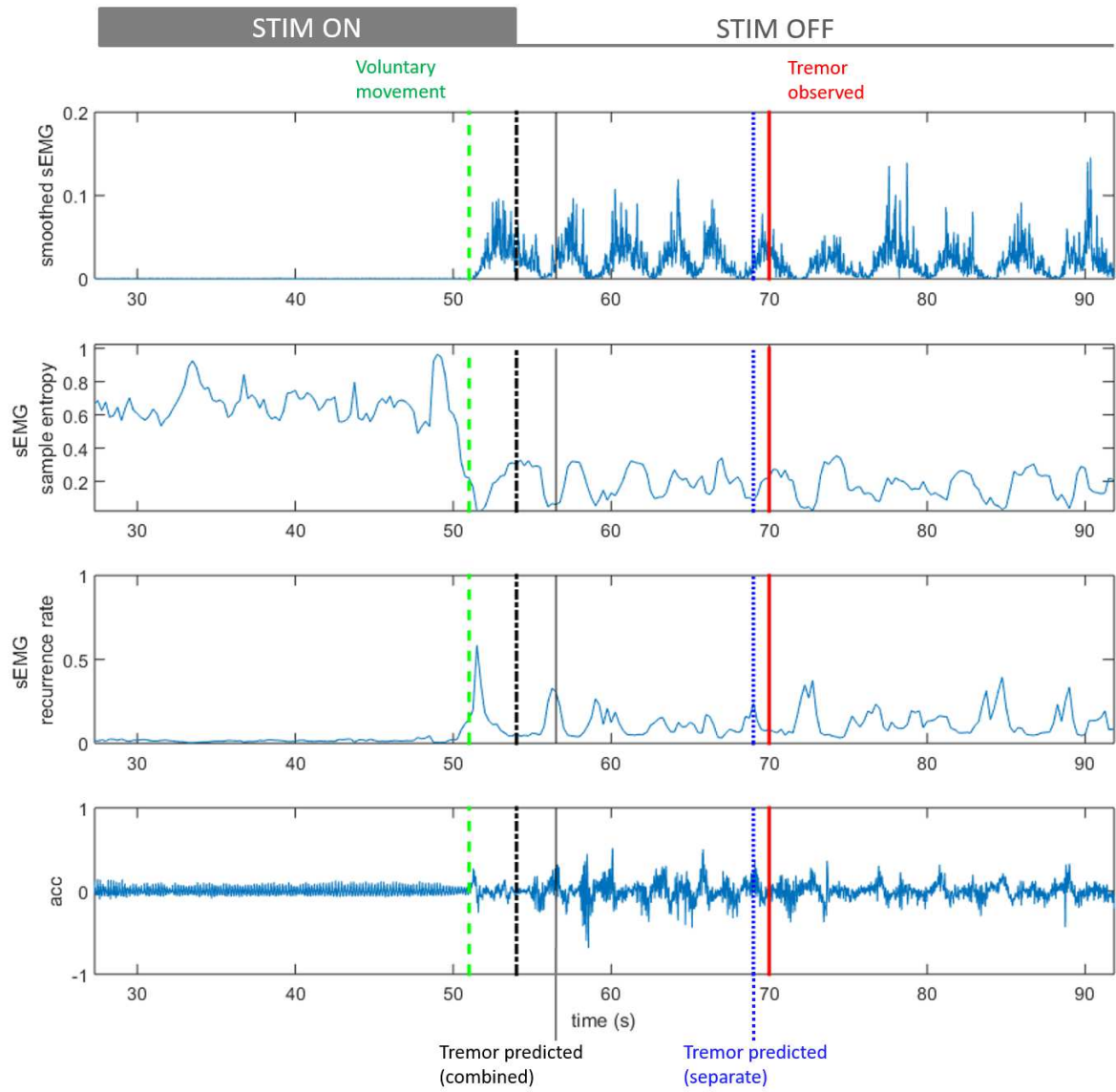


Figure 9. An “Action” trial (stim duration = 50 s) with *True Positive* prediction (separate modes) and *False Positive* prediction (combined modes)

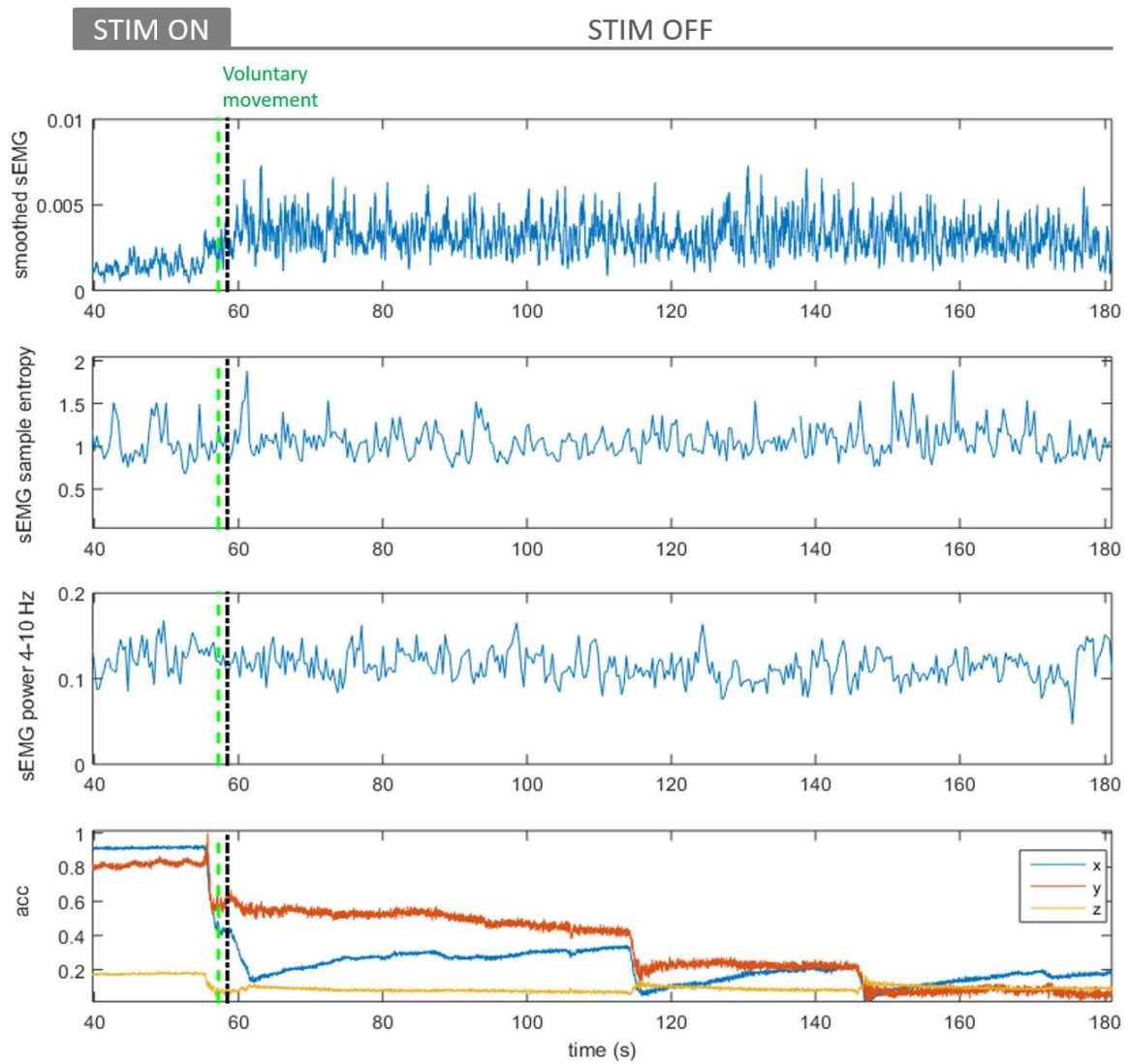


Figure 10. A “Posture” trial (stim duration = 30 s) with *True Negative* prediction

patient, leading to only the posture/rest files to be used. Therefore, the total number of files are given to be 7 for PD7.

Table V give the observed and predicted R-ratios for state-specific training of DT and LNN-2.  $R_o$  gives the ratio of duration of observed tremor free time from the time stimulation was switched off to the duration of stimulation applied. This ratio is given for all trials and the test trials for each patient.  $R_p$  gives the ratio of duration of predicted tremor free time from the stimulation “off” time to the duration of stimulation. Lower the difference between  $R_p$  and  $R_o$ , closer the prediction of tremor is to the actual observed tremor. DT  $R_p$  and LNN-2  $R_p$ , calculated over  $N_{te}$  trials for each patient, are compared to the  $R_o$  of those  $N_{te}$  trials.

$\beta$  is the ratio of the predicted tremor free time ( $R_p$ ) to the observed tremor free time ( $R_o$ ) from the time stimulation was switched off. Closer this value is to 1, closer the prediction of tremor is to the actual observed tremor.  $\beta$  of PD7 is greater than one but since the tremor onset is predicted within one second of observed tremor, we accept these as correct recognitions. The weighted average is calculated with respect to the number of trials.  $R_p$  ratio is also expressed in terms of percentage of stimulation-free time  $P_{sf-p}$  (%).  $R_o$  ratio based  $P_{sf-p}$  (%) gives the maximum possible percentage of stimulation-free time.  $P_{sf-p}$  (%) represents the average feasible percentage of stimulation-free time using the tremor prediction algorithms. Overall the ratio  $R_p$  and  $P_{sf-p}$  % are higher for LNN-2 than for DT.

The performance of LNN-2 and DT was also compared with minimax SVM. However, the minimax SVM classifier did not perform well and had a low weighted average  $\beta$  value of 0.72, and accuracy and sensitivity of 75% and 79%, respectively, for the 47 PD patient trials.

TABLE IV. Performance of DT and LNN-2 for tremor prediction in eight PD patients when the algorithms were trained separately for the states of Action and Posture/Rest. The number of total trials ( $N_{to}$ ), the number of training trials ( $N_{tr}$ ) and the number trials used for testing ( $N_{te}$ ) are given for each patient. TP, TN, FP and FN give the True Positive, True Negative, False Positive and False Negative, respectively. A and S columns give the accuracy and sensitivity (%) achieved by DT and LNN-2 for each patient. The weighted average is calculated with respect to the number of trials. For PD7\*, number of 'Action' files were limited to train DT and LNN-2 separately for the state.

Patient	Performance comparison between DT and LNN-2														
	$N_{to}$	$N_{tr}$	$N_{te}$	DT						LNN-2					
				TP	TN	FP	FN	A (%)	S (%)	TP	TN	FP	FN	A (%)	S (%)
<b>PD1</b>	16	11	5	4	0	1	0	80.00	100.00	5	0	0	0	100.00	100.00
<b>PD2</b>	26	17	9	5	1	2	1	66.67	83.33	5	1	3	0	66.67	100.00
<b>PD3</b>	17	12	5	5	0	0	0	100.00	100.00	5	0	0	0	100.00	100.00
<b>PD4</b>	32	23	9	4	3	2	0	77.78	100.00	4	3	2	0	77.78	100.00
<b>PD5</b>	20	13	7	7	0	0	0	100.00	100.00	6	0	1	0	85.71	100.00
<b>PD6</b>	29	23	6	5	1	0	0	100.00	100.00	5	1	0	0	100.00	100.00
<b>PD7*</b>	7	5	2	2	0	0	0	100.00	100.00	2	0	0	0	100.00	100.00
<b>PD8</b>	14	10	4	3	1	0	0	100.00	100.00	3	1	0	0	100.00	100.00
<b>Total</b>	<b>161</b>	<b>114</b>	<b>47</b>	<b>35</b>	<b>6</b>	<b>5</b>	<b>1</b>			<b>35</b>	<b>6</b>	<b>6</b>	<b>0</b>		
<b>Wt Avg</b>								<b>87.23</b>	<b>91.67</b>					<b>87.23</b>	<b>100.00</b>

TABLE V. R-ratios obtained using DT and LNN-2 in eight PD patients when the algorithms were trained separately for the states of Action and Posture/Rest.  $R_o$  gives the ratio of duration of observed tremor free time from the time stimulation was switched off to the duration of stimulation applied. This ratio is given for all trials and the test trials for each patient.  $R_p$  gives the ratio of duration of predicted tremor free time from the stimulation “off” time to the duration of stimulation.  $\beta$  is the ratio of the predicted tremor free time ( $R_p$ ) to the observed tremor free time ( $R_o$ ) from the time stimulation was switched off. Closer this value is to 1, closer the prediction of tremor is to the actual observed tremor. For PD7\*, number of ‘Action’ files were limited to train DT and LNN-2 separately for the state. Tremor was predicted within 1 second of tremor onset, giving  $R_p > R_o$

Patient	R-ratio comparison between DT and LNN-2										
	All trials		Test trials								
	$N_{to}$	$R_o$	$N_{te}$	$R_o$	$P_{sf-o} \%$	DT			LNN-2		
						$R_p$	$\beta$	$P_{sf-p} \%$	$R_p$	$\beta$	$P_{sf-p} \%$
<b>PD1</b>	16	0.52	5	0.40	28.57	0.29	0.75	22.48	0.30	0.77	23.07
<b>PD2</b>	26	0.56	9	0.75	42.86	0.53	0.71	34.64	0.50	0.67	33.33
<b>PD3</b>	17	0.19	5	0.15	13.04	0.12	0.83	10.71	0.12	0.82	10.71
<b>PD4</b>	32	0.76	9	0.86	46.24	0.69	0.81	40.83	0.72	0.84	41.86
<b>PD5</b>	20	0.26	7	0.21	17.36	0.20	0.95	16.67	0.20	0.95	16.67
<b>PD6</b>	29	3.53	6	2.79	73.61	2.24	0.80	69.1	2.73	0.94	73.19
<b>PD7*</b>	7	0.41	2	0.32	24.24	0.33	1.03	24.81	0.34	1.05	25.37
<b>PD8</b>	14	1.71	4	2.14	68.15	2.10	0.98	67.74	2.14	1.00	68.15
<b>Total</b>	<b>161</b>		<b>47</b>								
<b>Wt Avg</b>		<b>1.14</b>		<b>0.95</b>	<b>48.72</b>	<b>0.79</b>	<b>0.86</b>	<b>44.13</b>	<b>0.85</b>	<b>0.88</b>	<b>45.95</b>

TABLE VI. Tremor prediction performance of DT and LNN-2 for test trials of eight PD patients at their optimal optimal duration of stimulation,  $DS^*$ . The number of trials used for testing at  $DS^*$  ( $N_{te}^*$ ) are given for each patient.  $R_o^*$  and its corresponding  $R_p^*$  are noted to be higher for  $DS^*$  compared to when all the stimulation durations are considered together.  $\beta^*$  is the ratio of the predicted tremor free time ( $R_p^*$ ) to the observed tremor free time ( $R_o^*$ ) from the time stimulation was switched off.  $\beta^*$  of PD5 and PD7 are greater than one but since the tremor onset is predicted within one second of observed tremor, we accept these as correct recognitions. The weighted average is calculated with respect to the number of trials.

Patient	$\beta$ -ratio comparison at optimal $DS^*$									
	Test trials at $DS^*$									
	$DS^*$	$N_{te}^*$	$R_o^*$	$P_{sf-o}^* \%$	DT			LNN-2		
					$R_p^*$	$\beta^*$	$P_{sf-p}^* \%$	$R_p^*$	$\beta^*$	$P_{sf-p}^* \%$
<b>PD1</b>	30	3	0.38	27.54	0.31	0.81	23.66	0.33	0.86	24.81
<b>PD2</b>	20	3	0.87	46.52	0.69	0.79	40.83	0.70	0.80	41.18
<b>PD3</b>	NA	-	-	-	-	-	-	-	-	
<b>PD4</b>	20	3	1.18	54.13	0.96	0.81	48.98	1.21	0.95	52.83
<b>PD5</b>	30	1	0.43	30.07	0.47	1.08	31.97	0.42	0.97	29.58
<b>PD6</b>	30	4	3.80	79.17	2.80	0.81	73.68	3.68	0.97	78.63
<b>PD7*</b>	30	1	0.50	33.33	0.51	1.02	33.77	0.51	1.02	33.77
<b>PD8</b>	30	4	2.34	70.06	2.31	0.98	69.79	2.34	1.00	70.06
<b>Total</b>		<b>19</b>								
<b>Wt Avg</b>			<b>1.73</b>	<b>63.37</b>	<b>1.44</b>	<b>0.89</b>	<b>59.02</b>	<b>1.66</b>	<b>0.94</b>	<b>62.41</b>

LNN-2 and DT performance are also compared for trials at  $DS^*$  only in Table VI. These ratios are given only for the trials of optimal duration of stimulation ( $DS^*$ ) along with the  $DS^*$  for that patient. The number trials used for testing at  $DS^*$  ( $N_{te}^*$ ) are given for each patient.  $R_o^*$  and its corresponding  $R_p^*$  are noted to be higher for  $DS^*$  compared to when all the stimulation durations are considered together.  $\beta^*$  is the ratio of the predicted tremor free time ( $R_p$ ) to the observed tremor free time ( $R_o$ ) from the time stimulation was switched off. Closer this value is to 1, closer the prediction of tremor is to the actual observed tremor.  $\beta^*$  of PD5 and PD7 are greater than one but since the tremor onset is predicted within one second of observed tremor, we accept these as correct recognitions. The weighted average is calculated with respect to the number of trials. For trials at  $DS^*$ , the accuracy and sensitivity of DT and LNN-2 are equal (100% for each patient) but the  $\beta$  ratio of LNN-2 (0.94) is higher than that of DT (0.89). This gives a higher stimulation-free duration percentage, which is closer to the observed  $P_{sf-o}$  at the optimal  $DS^*$ .

#### 4.1.2 ET

Tremor prediction algorithms based on LNN-2 and DT were also run for four ET patients. Data was collected using the first set-up here. Patients performed Action and Posture tasks. ET patients do not experience tremor during Rest state; therefore, only the Action and Posture states have been considered for recording. LNN-2 and DT were trained and tested in the offline mode with no changes made to the algorithm parameters once the training phase is completed. Same set of features and the same training and testing trials were used for both the algorithms. 75-80% of all trials were used for training for each patient and the rest for testing. Performance of LNN-2 and DT is compared in Table VII and Table VIII for a total of 128 trials.

Table VII lists the total number of trials ( $N_{to}$ ), the corresponding  $R_o$ , the number of testing trials ( $N_{te}$ ) and the corresponding  $R_o$  for each patient. The performance metrics A and S along with  $TP$ ,  $TN$ ,  $FP$  and  $FN$  are given under DT and LNN-2 sections. The predicted R-ratio,  $R_p$  for test trials and their respective  $\beta$  values are also given for state-specific training of DT and LNN-2. Sensitivity of 100% is obtained using both the algorithms. Accuracy, and  $\beta$  of DT are lower than that of LNN-2. The latter algorithm performed better than DT for four ET patients in a similar manner as that observed for PD patients. A  $\beta$  ratio of 0.92 was obtained for LNN-2, whereas, it was 0.83 for DT, giving a higher percentage of stimulation-free duration  $P_{sf-p}$  % for LNN-2.

TABLE VII. Performance of DT and LNN-2 for tremor prediction in four ET patients when the algorithms were trained separately for the states of Action and Posture/Rest. The number of total trials ( $N_{to}$ ), the number of training trials ( $N_{tr}$ ) and the number trials used for testing ( $N_{te}$ ) are given for each patient. TP, TN, FP and FN give the True Positive, True Negative, False Positive and False Negative, respectively. A and S columns give the accuracy and sensitivity (%) achieved by DT and LNN-2 for each patient. The weighted average is calculated with respect to the number of trials.

Patient	Performance comparison between DT and LNN-2														
	$N_{to}$	$N_{tr}$	$N_{te}$	DT						LNN-2					
				TP	TN	FP	FN	A (%)	S (%)	TP	TN	FP	FN	A (%)	S (%)
<b>ET1</b>	52	41	11	7	2	2	0	81.82	100.00	9	2	0	0	100.00	100.00
<b>ET2</b>	30	22	8	5	3	0	0	100.00	100.00	4	4	0	0	100.00	100.00
<b>ET3</b>	16	12	4	4	0	0	0	100.00	100.00	3	1	0	0	100.00	100.00
<b>ET4</b>	30	23	7	3	4	0	0	100.00	100.00	3	4	0	0	100.00	100.00
<b>Total</b>	<b>128</b>	<b>98</b>	<b>30</b>	<b>19</b>	<b>9</b>	<b>2</b>	<b>0</b>			<b>19</b>	<b>11</b>	<b>0</b>	<b>0</b>		
<b>Wt Avg</b>								<b>95.45</b>	<b>100.00</b>					<b>100.00</b>	<b>100.00</b>

TABLE VIII. R-ratios obtained using DT and LNN-2 in four ET patients when the algorithms were trained separately for the states of Action and Posture/Rest.  $R_o$  gives the ratio of duration of observed tremor free time from the time stimulation was switched off to the duration of stimulation applied. This ratio is given for all trials and the test trials for each patient.  $R_p$  gives the ratio of duration of predicted tremor free time from the stimulation “off” time to the duration of stimulation.  $\beta$  is the ratio of the predicted tremor free time ( $R_p$ ) to the observed tremor free time ( $R_o$ ) from the time stimulation was switched off. Closer this value is to 1, closer the prediction of tremor is to the actual observed tremor. **PD7\***: Number of ‘Action’ files were limited to train DT and LNN-2 separately for the state. Tremor was predicted within 1 second of tremor onset, giving  $R_p > R_o$

Patient	R-ratio comparison between DT and LNN-2										
	All trials		Test trials								
	$N_{to}$	$R_o$	$N_{te}$	$R_o$	$P_{sf-o}\%$	DT			LNN-2		
						$R_p$	$\beta$	$P_{sf-p}\%$	$R_p$	$\beta$	$P_{sf-p}\%$
<b>ET1</b>	52	0.79	11	0.82	45.05	0.55	0.67	35.48	0.67	0.81	40.12
<b>ET2</b>	30	0.89	8	0.90	47.37	0.86	0.95	46.24	0.88	0.98	46.81
<b>ET3</b>	16	0.86	4	0.91	47.64	0.68	0.75	40.48	0.84	0.93	45.65
<b>ET4</b>	30	1.29	7	1.20	54.55	1.16	0.96	53.7	1.13	0.94	53.05
<b>Total</b>	<b>128</b>		<b>30</b>								
<b>Wt Avg</b>		<b>0.94</b>		<b>0.96</b>	<b>48.98</b>	<b>0.81</b>	<b>0.83</b>	<b>44.75</b>	<b>0.88</b>	<b>0.92</b>	<b>46.81</b>

## 4.2 Discussion

sEMG and acc were used as the biosignals providing feedback for the design of automated closed-loop DBS system. Since the typical tremor features of PD may vary for different states [13], we trained the algorithms for Action and Posture/Rest trials separately. During the Action state, patients performed a task of extension and flexion of wrist. During Posture state, the patient had to hold their arms out and during Rest trials, the patient placed their arms in a relaxed state. Since during Posture and Rest states, arms of the patient were more or less stationary, we merged the trials in these two states while training for state-specific algorithms. 100% sensitivity was obtained by training the algorithms separately, based on the arm state. An overall higher  $R_p$  was obtained using LNN-2 for state-specific run compared to states-combined run. Similar better performance of LNN-2 was also observed in trials at  $DS^*$ . Furthermore, we also compared DT and LNN-2 in offline learning mode, trained and tested on the same set of Action and Posture trials for ET patients. For the same set of test trials, LNN-2 performance metrics are superior to that of DT.

### 4.2.1 Performance

Performance metrics were chosen to represent how well tremor is predicted. Sensitivity metric gives how well the algorithm performs such that the tremor is predicted before it is actually observed. We may achieve 100% sensitivity if tremor was predicted each time right after stimulation is switched off. Accuracy value expresses performance taking false positives into account.  $\beta$ -ratio evaluates how close to the actual tremor does the algorithm predict its reappearance.

### 4.2.2 Sensitivity

In case of state-specific run, we were able to achieve 100% sensitivity using LNN-2 for  $DS^*$ . This means that there were 0 ‘misses’ and all the predictions were made before the observed reappearance of tremor.

For an on-demand tremor prediction system, it is essential to have 100% sensitivity so that the patient does not feel any discomfort. Sensitivity of LNN-2 is better when run separately for Action and Posture/Rest modes than when the modes are combined together. In case of offline learning comparison of LNN-2 and DT for state-specific training, DT was unable to achieve 100% sensitivity with 1  $FN$  for PD2, whereas, LNN-2 had sensitivity of 100% for all eight PD patients. Both the algorithms achieved 100% sensitivity in case of state-specific training of four ET patients.

### 4.2.3 Accuracy

An overall accuracy of 83.05% was achieved for 59 trials at  $DS^*$  when LNN-2 was separately run for the two states. Accuracy gives the percentage of correctly predicted tremor i.e. *True Positive* when prediction not made too early and *True Negative* when prediction not made in absence of tremor. When trained for Action and Posture/Rest states together, higher number of FP or early predictions were made since voluntary movement may have been mistaken as onset of tremor. It should be mentioned here that the protocol of data collection for “Action” state required patients to perform extension and flexion of the wrist continuously, which inadvertently was periodic in nature. This periodicity of movement and its related frequency range may have characteristics similar to that of tremor, leading to excessive FPs. Further investigation would, therefore, be required in freely-moving patients to better mimic the “Action” state. DT and LNN-2 performed similarly, with respect to the accuracy metric, in case of PD

patients; however, two  $FP$  predictions were made by DT in 30 ET test trials, when run in state-specific offline learning mode, giving a lower accuracy for DT compared to that for LNN-2.

#### 4.2.4 $\beta$ -ratio

The R-ratios given in Table V and Table VIII give a comparison between DT and LNN-2. Table V and Table VIII shows an overall higher  $R_p$  using LNN-2 than by DT for state-specific training. Compared to trials at all DS, the R-ratios are higher for the trials at  $DS^*$  for each patient. For patient PD3, the recordings were done at 40-50 s stimulation periods which may not have included the optimal duration of stimulation for that patient. It should be noted that finding  $DS^*$  was not the primary objective of this study; however, it was found during the conduct of this study that  $R_o$  can be maximized by selecting the right duration of stimulation. This is discussed further in Section 7.2.1.  $R_p$  of greater than 1 was achieved for patients PD4, PD6 and PD8 at  $DS^*$ . This gives DBS “off” time greater than or equal to the duration of stimulation, reducing the amount of stimulation by half or more and increasing the battery life at least by 50%. For 59 trials at  $DS^*$ , an average  $\beta^*$  of 0.83 was achieved by LNN-2. A  $\beta$  value close to 1 indicates that the prediction algorithm is able to attain maximum stimulation-free time possible. However,  $\beta$  of 0.97 or higher, is usually not desirable, since there must be some time interval (a few seconds) before DBS starts to suppress tremor. A higher  $\beta$  was obtained by LNN-2 than that by DT for 47 PD test trials as well as for 30 ET trials. A higher percentage of stimulation-free time can be obtained using LNN-2 applied to non-invasive sensors, for PD as well as ET patients. This is essential to maximize the efficacy of closed-loop DBS systems, irrespective of the type of feedback signal.

## CHAPTER 5

### ON THE NEED FOR ADAPTIVE LEARNING IN ON-DEMAND DEEP BRAIN STIMULATION FOR MOVEMENT DISORDERS

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There is an increased interest in designing on-demand DBS systems due to their potential benefits such as reducing amount of stimulation delivered, reduced side-effects as well as reduction in battery power consumption. Studies using approaches of setting single threshold on power of the beta band extracted from LFPs or on tremor power obtained from gyroscope signals have shown to reduce the stimulation delivered, switching on DBS only in presence of symptoms (rigidity and tremor, respectively). Effect of these manually set thresholds have to be studied for chronic use of on-demand system. Other than reliability, an important factor to be considered when selecting the control signal and such thresholds for an on-demand DBS system is robustness over time. Current studies have been carried out over single session without analyzing the chronic implications. The authors of [44] stress that it is essential to shift from acute trials of on-demand systems to their long-term evaluation.

### 5.1 Training and testing on data from different sessions

Of the recruited patients, one PD patient and one ET patient had two separate data recording sessions at least one week apart. The data collection and feature extraction was same as before. The robustness was then assessed for two machine learning (ML) methods - Decision Tree (DT) and LAMSTAR neural network (LNN) - applied to features extracted from sEMG and accelerometry signals recorded in separate sessions. For both these algorithms, we first carried out training and testing with data of the same session. Next, we trained the algorithm with data of one session and then tested it on that of the other. Since the sEMG sensors and accelerometers are placed externally, this experiment is conducted to test the robustness of such closed-loop systems. The performance metrics are compared for the algorithms when training for tremor prediction was performed on signals from one session and testing on the other session with the results obtained from training and testing on the same session. Performance metrics used for this comparison are defined as previously described in Chapter 3.

### 5.2 Comparison of performance

Table IX and Table X give the performance metrics of LNN-2 and DT based tremor prediction for patients ET1 and PD6. The number of trials used for training and testing are given as  $N_{tr}$  and  $N_{te}$ , respectively. The average ratio of observed tremor-free duration without stimulation to the stimulation period before being switched off ( $R_{o\ te}$ ) is listed for all trials in the testing set. The performance metrics include number of True Positives (TP), True Negatives (TN), False Positives (FP) and False Negatives (FN) from which accuracy (A) and sensitivity (S) values were calculated.  $R_{p\ te}$  ratio was calculated similar to the  $R_{o\ te}$  ratio using predicted tremor-free duration without stimulation for each testing set. When training and testing was performed on the data of the same session (Table IX, sensitivity of

tremor prediction was found to be 100% for both DT and LNN-2.  $\beta$  ratio values are listed for the two algorithms for each session, with higher  $\beta$  for LNN-2. In table Table X, session numbers of the training and testing datasets are given separately. Both DT and LNN-2 showed lower performance when compared to the metrics of same session testing. LNN-2 achieved higher sensitivity compared to DT but 100 % sensitivity was not achieved for all sessions.  $\beta$  was also higher overall for LNN-2 than DT but both the algorithms did not perform as well for different session testing.

TABLE IX. PERFORMANCE METRICS: TRAINING AND TESTING ON DATA FROM THE SAME SESSION

Patient	Session	Trials		$R_{ote}$	Method	Performance metrics				
		$N_{tr}$	$N_{te}$			TP, TN, FP, FN	A (%)	S (%)	$R_{pte}$	$\beta$
ET1	1	10	3	0.57	DTC	3, 0, 0, 0	100	100	0.4	0.71
					LNN-2	3, 0, 0, 0	100	100	0.53	0.94
ET1	2	31	8	0.93	DTC	4, 2, 2, 0	75	100	0.61	0.66
					LNN-2	6, 2, 0, 0	100	100	0.73	0.78
PD6	1	12	3	2.67	DTC	2, 1, 0, 0	100	100	2.49	0.93
					LNN-2	1, 1, 1, 0	66.67	100	2.3	0.86
PD6	2	11	3	2.87	DTC	3, 0, 0, 0	100	100	2.08	0.73
					LNN-2	3, 0, 0, 0	100	100	2.86	0.99

TABLE X. PERFORMANCE METRICS: TRAINING AND TESTING ON DATA FROM DIFFERENT SESSIONS

Patient	Training session	Trials	Testing session	Trials	$R_{ote}$	Method	Performance metrics				
		$N_{tr}$		$N_{te}$			TP, TN, FP, FN	A (%)	S (%)	$R_{pte}$	$\beta$
ET1	1	13	2	39	0.73	DTC	16, 2, 11, 10	46.15	61.54	0.33	0.45
						LNN-2	16, 1, 22, 0	43.56	100	0.3	0.41
ET1	2	39	1	13	1.07	DTC	4, 2, 4, 3	46.15	57.14	0.29	0.27
						LNN-2	6, 0, 6, 1	46.15	85.71	0.49	0.46
PD6	1	15	2	14	2.72	DTC	6, 0, 2, 6	42.85	50	1.5	0.55
						LNN-2	9, 0, 2, 3	64.29	75	1.74	0.64
PD6	2	14	1	15	3.27	DTC	6, 1, 4, 4	46.67	60	1.73	0.53
						LNN-2	9, 1, 5, 0	66.67	100	1.79	0.55

### 5.3 Need for adaptive learning

Though this comparison of performances is performed for only two patients (2 sessions each), the need for adaptive learning and chronic use assessment is evident. Due to the nature of movement disorders of disease progression and changing symptoms, clinicians evaluate the efficacy of DBS parameter settings at least every three months. Apart from the changes over these longer durations, PD patients have known to experience “on-off” phenomenon due to wear-off of the effect of levodopa medication [45]. While selecting parameters for closed-loop DBS system using any of the available control signal options, the variability of psychological and cognitive state of the patient should also be taken into account. Another factor to be considered for external sensors such as gyroscopes, sEMG and EEG is the effect of small differences in their position on the selected parameters of the closed-loop system for tremor prediction.

We presented here the preliminary results for chronic use of sEMG and accelerometry based on-demand DBS system using two machine learning algorithms. The necessity for an adaptive learning system was observed from the decrease in  $\beta$ -values for different session testing compared to the same session testing. The present on-demand systems designed using power of beta band (extracted from LFPs) or tremor power (obtained from gyroscope signal) require thresholds to be set for the stimulation to be switched on or off. The effect of fluctuations in symptom severity or changes in symptoms over time on the selected threshold needs to be studied. Adaptive systems would update their parameters with the progression of disease. Our main contribution is to show that though both the algorithms predicted tremor with a 100% sensitivity when testing over the same session as that for training, the sensitivity reduces when testing on a different session. It is also found that the ratio of predicted stimulation-off time

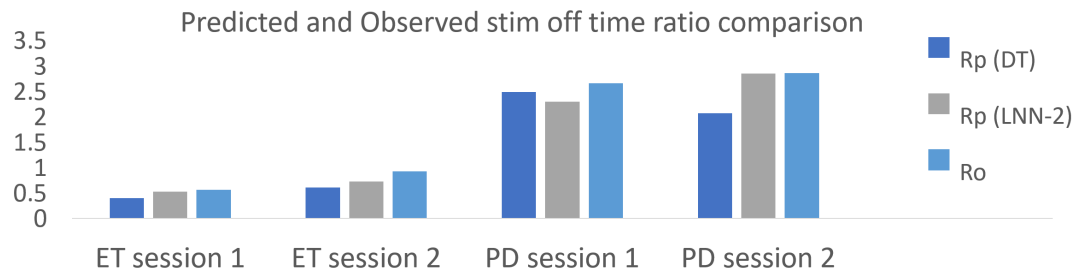


Figure 11. Comparison between predicted and observed R-ratio when training and testing performed on the same session data

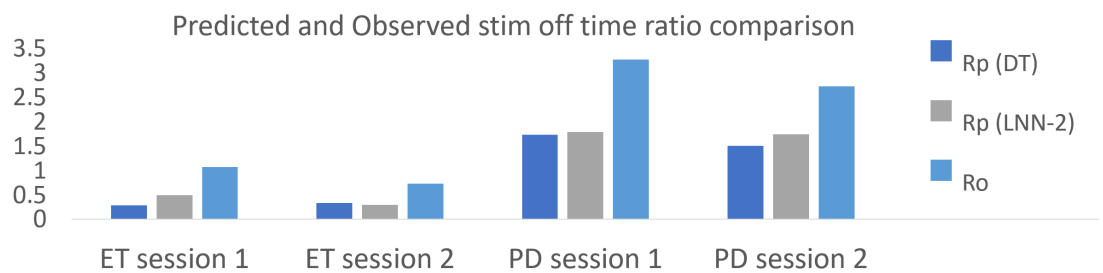


Figure 12. Comparison between predicted and observed R-ratio when training and testing performed on data from different sessions

to observed stimulation-off time reduces when testing on data from the other session. These reduced sensitivity and ratio metrics demonstrate why adaptive learning is essential in on-demand DBS systems. In the future, we intend to develop a tremor-prediction algorithm with online learning capability that would use new information to adapt with changes in symptoms.

## CHAPTER 6

### **DETERMINATION OF DISTINCT PRE-TREMOR INTERVAL FROM SEMG DATA WITHIN TREMOR-FREE-STIMULATION-FREE PERIOD IN PD PATIENTS**

*Results from this section to be submitted for publication.*

While training the machine learning algorithms, a fixed window before observed tremor time point was used for training as the tremor prediction time. The aim of this work to determine the existence of distinct pre-tremor interval from sEMG data was motivated by the observation of a pre-ictal region before epileptic seizure seen in Electroencephalography (EEG) signals. Such pre-ictal intervals do not have a fixed duration before seizure appears as shown by [35]. Here, we show that a specific and distinct Pre-Tremor (PT) interval exists within the No-Stimulation-No-Tremor (NS-NT) period. This was shown using sample entropy and mean frequency features extracted from sEMG data in two tremor-dominant PD patient with high R-ratio. Identifying this PT interval when DBS is off in sEMG signal based features justify the use of sEMG sensors and are important to assess for on-demand predictive control of DBS.

This pre-tremor region is not discernible looking at the signal; however, changes were observed in certain extracted features from the sEMG signal over windows of 5 seconds. The data from one PD6 who had high R-ratio was considered to evaluate the changes in features over time after stimulation is switched off, upto the timepoint where tremor reappeared. In this dataset, one session of PD6 data was used consisting of 10 trials where tremor came back before stimulation was switched on again. Three trials from PD8 were also considered where the R-ratio was high. All the three modes (action,

postural and rest) were analysed. Sample entropy which measures the uncertainty was chosen as one of the features as it can determine increase in regularity in muscle activity associated with appearance of tremor. Mean frequency is also indicative of shift in power which may be related to tremor onset. These two features were evaluated along with rest of the feature set used previously in the machine learning algorithms and were found to be reflective of a pre-tremor region.

### 6.1 Efficiency operator

The metric used to evaluate these features is described here. Let  $m, n$  denote numbers of samples at distances of  $m, n$  samples away from observed tremor, where  $m > n$ . Defining ratio  $r(PT, i)$  for all  $m$ :

$$r(PT, i; m) = \frac{Nw(PT, i; m)}{m} \quad (6.1)$$

where  $i$  is the range,  $Nw$  is the number of wins or occurrences in that range,  $PT$  stands for pre-tremor

Efficiency  $E$  can then be defined as:

$$E = \frac{r(PT, i)}{r(EP, i)} \quad (6.2)$$

where  $EP$  denotes the early period before pre-tremor and, prior to first sample considered within the NS-NT period, starting from end of stimulation.

Let:

$$\Delta N(i; m, n) = Nw(PT, i; m)Nw(PT, i; n) \quad (6.3)$$

$$\Delta r(i; m, n) = \frac{\Delta N(i; m, n)}{(m - n)} \quad (6.4)$$

Hence, we define:

$$\Delta E(i) = \frac{\Delta r(i; m, n)}{r(EP, i; m)} \quad (6.5)$$

$\Delta E$  denoting an interval of  $E$  for samples of data lying at distances between  $m$ ,  $n$  samples away from observed tremor.

## 6.2 Results

The ranges were set for each of the features in 6 bins based on equal frequency.  $\Delta N$  and  $\Delta E$  were calculated over 5 second windows. The six ranges were grouped together to have high, medium, low ranges. Adjacent windows were compared to measure a drop or shift from high to low range for the entropy and the mean frequency which are indicative of tremor reappearance. The results are tabulated for each of the trials over listing the adjacent windows (total 10 second window) where such a drop was observed. There were some drops which were false alarms since they were observed more than 40 seconds before the actual tremor was observed.

TABLE XI. CHANGE IN ENTROPY AND MEAN FREQUENCY

Patient	Trial	delta E		delta N		PT	NSNT
		SaEn	mf	SaEn	mf	start	duration
PD6	post30-1	12.5-22.5, 0-10	12.5-22.5, 0-10	12.5-22.5, 0-10	12.5-22.5, 0-10	22.5	298
	post30-2	40-50, 5-10	40-50, 0-10	40-50, 5-10	45-55, 0-5	40	126
	post30-3	10-25	10-25	10-25	10-25	25	124
	post50-1	5-15	5-15	15-25, 0-5	15-25, 0-5	15	174
	rest30-1	15-25, 0-5	15-25, 0-5	12-22, 0-5	12-22, 0-5	22	107
	rest30-2	0-15	0-15	0-15	0-15	15	185
	rest50-1	0-20	0-20	0-10	0-10	20	31
	act30-3	15-25	15-25	15-25	15-25	25	67
	act30-4	40-50	40-50	40-50	40-50	50	145
	act30-5	15-25, 0-10	15-25, 0-10	15-26, 0-10	15-26, 0-10	25	54
PD8	post30-2	20-30	20-30	20-30	20-30	20	35
	post40-1	20-30	20-30	20-30	20-30	20	132
	rest40-1	16-26	16-26	16-26	16-26	16	69

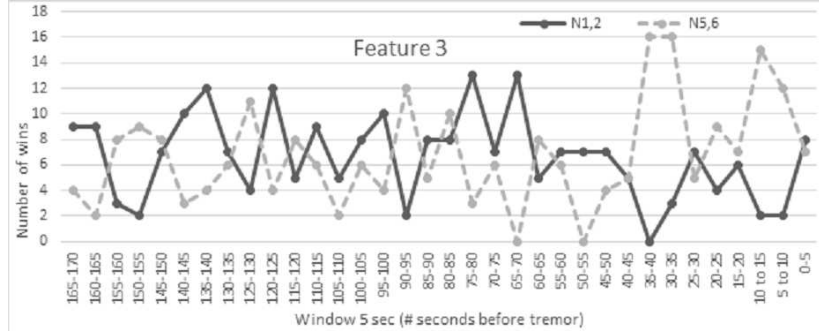


Figure 13.  $\Delta N$  over 5 second windows of mean frequency

Stimulation is restarted at end of the first interval where a decision is made where  $\Delta E(N1, N2) > \Delta E(N5, N6)$  Namely where the two lowest ranges dominate the two highest range in both layers F8 and F9 for the last 10 seconds. However, if already prior to 60 seconds into the NS-NT period  $\Delta N(N1, N2) > \Delta N(N5, N6)$  where decision is made according to  $\Delta N$ , since initially  $\Delta E$  is unreliable due to insufficient data.

Stimulation is to be restarted 10 seconds after estimate of start of PT interval is made.

To take care of the false alarms, mean power in frequency band of 8-16 Hz is used as the 3rd feature. Adding this information can then help reduce the number of early predictions.

### 6.3 Conclusion

This work shows that there exists a pre-tremor region which can be used for tremor prediction. Only sEMG signal was used to extract three features which show a drop in the ranges during this pre-tremor region. By identifying this region, we provide proof that sEMG can be used as the control signal for

prediction of tremor for design of on-demand DBS system. The data was limited for this study but can be extended to other patients who may be good candidates for on-demand systems and have high R-ratio.

## CHAPTER 7

### CONCLUSION AND FUTURE WORK

*Parts from this chapter to be submitted for publication.*

#### 7.1 Conclusion

In this thesis, an automated tremor prediction algorithm has been implemented for the design of closed-loop DBS system in eight PD patients. For each of these individual patients, an optimal duration of stimulation was determined providing the highest stimulation-free period. A comparison was carried out between the performance of combined-states and state-specific runs of LNN-2 algorithm for all durations of stimulation and only the optimal duration of stimulation, specific to each patient. Offline learning algorithms of DT and LNN-2 were also compared for the same eight PD patients and four ET patients. Training was performed on 75-80% of the trials and testing was carried out on the rest. The following conclusions are made from the obtained results:

1. The efficacy of on-demand DBS systems can be maximized by find the optimal duration of stimulation for each patient. In 3 out of 9 patients,  $R_o$  of greater than 1 was observed, allowing at least 50% of stimulation-free time. For all patients, an optimal duration of stimulation can be determined which gives the highest stimulation-free time. LNN-2 gave higher  $R_p$  for trials at optimal duration stimulation than that for trials at all durations of stimulation.
2. The offline learning comparison showed that LNN-2 performs better than DT for both PD and ET patients. The training and testing trials were separate. Both the machine learning algorithms

performed better when they were trained separately for the different modes of Action and Posture / Rest than when they were trained for the states combined together. In practice, the state-specific tremor predictor would be preceded by another algorithm to classify the state requiring features extracted mainly from accelerometer signal.

3. The need for an adaptive learning algorithm was shown for on-demand systems since the control signals may change with time and the parameters used to predict onset of tremor may not be robust to these changes. By adaptive learning with new data obtained from every day use of the system, the algorithm should be able to monitor these changes and update the parameters accordingly.
4. Sample entropy and mean frequency features were shown to indicate the pre-tremor interval in patient PD6. It is essential to identify the pre-tremor interval for on-demand systems.
5. By using a time-adaptive algorithm, a closed-loop system can be developed that adjusts to the changes in symptom features as the disease progresses. LNN-2 is a feasible option for such an automated system due to its simplicity of implementation. The link weights are updated for the winner neuron of each subword layer in real time. Only when tremor is experienced, the patient needs to manually record the miss of tremor prediction to update the link weights going to output neuron T.

## **7.2 On-Demand closed-loop DBS in practice**

This system would be effective for patients with primary PD symptom of tremor, well-controlled by any type of open-loop DBS. Since tremor is the first symptom to reappear once the stimulation is switched off, other secondary symptoms such as rigidity and bradykinesia would also be taken care

of by this closed-loop system. Feature selection and training need to be carried out for each patient. Since the metrics indicate better performance when the training is done separately for the two states, the algorithm will have to be preceded by a state classifier in practice. IPG programmer should receive a trigger signal from the wearable tremor predictor device via Bluetooth. The external programmer would then communicate the on-off signal to the IPG. This is more convenient in newer IPG programmers which can communicate without direct contact to IPG.

Non-invasive sensors for sEMG plus acc could be stand-alone devices or part of the ubiquitous activity-tracking wearable devices that communicate with the IPG. This closed-loop system would reduce the amount of stimulation being applied to the brain and its related side-effects. It would improve the IPG battery life, reducing the number of battery replacement surgeries, the associated risk of infection and the cumulative cost. It would also be an effective system for rechargeable IPG batteries which have longer lifespan by allowing an increase in the non-charging interval of the battery charging cycle.

### **7.2.1 Selecting Optimal duration of stimulation**

Though this was not the main goal of this study, an important finding has been made during the course of 10 sessions of data collection from nine PD patients. For some patients, tremor did not reappear instantaneously and in some cases, did not reappear even after three minutes of switching of the stimulation. In the on-demand, closed loop DBS systems, stimulation is turned on when onset of tremor is predicted to occur. A predetermined duration of stimulation (DS) is applied, followed by repetition of the process of tremor prediction.  $DS^*$  can be selected to maximize,  $R_o$ , the ratio of tremor-free period to the stimulation duration [19,46]. Patients who can most benefit from this designed closed-loop system are those for whom tremor does not reappear immediately after discontinuing the

stimulation. Based on these metrics, a clinician should decide whether the patient will benefit from on-demand system and which optimal duration of stimulation would give the maximum percentage of stimulation-free time.

### **7.2.2 Preventing Paresthesia**

Since this on-demand DBS system requires the stimulation to be given in a binary fashion, some patients experience paresthesia or tingling sensation in their hands when stimulation is switched on rapidly after being off for some duration. This sensation due to sudden application of HFS can be overcome by applying a gradually ramping of stimulation onset and offset instead of rapid stimulation [21].

### **7.2.3 Rechargeables IPGs**

Rechargeable IPGs (Medtronic Activa RC, Boston Scientific Vercise) have a longer battery life of 9 to 25 years, requiring less frequent battery replacement surgeries. These need to be recharged every 1-2 weeks for 3-4 hours. Such systems may also benefit from a closed-loop DBS by improving the battery charging cycle. By stimulating on-demand, the number of days without recharging can be increased.

### **7.2.4 Continuous learning**

From the metrics discussed in results section, LNN-2 showed better overall performance compared to DT. An important advantage of LNN-2, which makes it a superior prediction algorithm than DT, is its ability to continuously adapt with newer information. In case of DT, the training once completed, the thresholds remain unchanged over time, irrespective of the changes in PD symptoms. Incremental DT, which is an online learning method, requires the Classification and Regression Tree (CART) algorithm to be modified to evaluate the change in impurity at each node that the new instance traversed and find

the new optimal split for the given change in impurity [47]. However, LNN-2 can continue learning online with every new input feature set, continually adapting to the disease progression, without any modification to the current architecture. The system can be set up such that, the link-weights to no-tremor (NT) neuron are rewarded as long as tremor is not observed. If the patient experiences tremor, a manual button tap would indicate occurrence of tremor so that “punishment” is given to the NT neuron link-weights and tremor (T) neuron link-weights are rewarded.

### **7.3 Future work**

#### **7.3.1 sEMG and acc signals recorded from free-moving patients**

The current data collection protocol for all eight PD patients and four ET patients required the patients to carry out one of the three tasks in each trial: Action where the wrist would be extended or flexed, Posture where the hands are extended out horizontally or Rest where the limb remain stationary with no effort exerted on the sEMG muscle source. Action task performed by the patients is repetitive and periodic in nature. Such controlled environment does not completely reflect the activities of free-moving patients. It is, therefore, essential to also collect and analyse data during daily activities of the patients in their natural environment.

#### **7.3.2 Extending to other disorders**

A similar analysis has to be carried out for ET data from the second recording set-up. Online learning approach, LNN-2, has to be implemented for all ET patients (four from first set-up and two from second set-up) following the state-classifier algorithm. An analysis will also be carried out on sEMG+acc data recorded from a non-tremor PD patient and from open-access wearable data of NTD PD patients to assess if bradykinesia can be tracked for on-demand DBS systems.

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## CITED LITERATURE

1. A. L. Benabid, P. Pollak, A. Louveau, S. Henry, and J. de Rougemont. Combined (thalamotomy and stimulation) stereotactic surgery of the vim thalamic nucleus for bilateral parkinson disease. Journal of Applied Neurophysiology, 50:344–346, 1987.
2. A. Lozano and N. Lipsman. Probing and regulating dysfunctional circuits using deep brain stimulation. Neuron, 77:406–424, 2013.
3. Nathan C. Rowland, Francesco Sammartino, and Andres M. Lozano. Advances in surgery for movement disorders. Movement Disorders, 32(1):5–10, 2017.
4. Adam O Hebb, Jun Jason Zhang, Mohammad H Mahoor, Christos Tsiokos, Charles Matlack, Howard Jay Chizeck, and Nader Pouratian. Creating the feedback loop: closed-loop neurostimulation. Neurosurgery Clinics, 25(1):187–204, 2014.
5. Marwan Hariz. Deep brain stimulation: new techniques. Parkinsonism & related disorders, 20:S192–S196, 2014.
6. A. Priori. Technology for deep brain stimulation at a gallop. Movement Disorders, 30:1206–1212, 2015.
7. B. Rosin, M. Slovik, R. Mitelman, M. Rivlin-Etzion, S. N. Haber, Z. Israel, E. Vaadia, and H. Bergman. Closed-loop deep brain stimulation is superior in ameliorating parkinsonism. Neuron, 72:370–384, 2011.
8. M Beudel and P Brown. Adaptive deep brain stimulation in parkinson’s disease. Parkinsonism & related disorders, 22:S123–S126, 2016.
9. A. Fytagoridis, T. Heard, J. Samuelsson, P. Zsigmond, E. Jiltsova, S. Skyrman, T. Skoglund, T. Coyne, P. Silburn, and P. Blomstedt. Surgical replacement of implantable pulse generators in deep brain stimulation: Adverse events and risk factors in a multicenter cohort. Stereotactical and Functional Neurosurgery, 94:235–239, 2016.
10. A. Ascherio and M. Schwarzschild. The epidemiology of parkinson’s disease: risk factors and prevention. The Lancet Neurology, 15:1257–1272, 2016.

11. R. Helmich, M. Hallett, G. Deuschl, I. Toni, and B. Bloem. Cerebral causes and consequences of parkinsonian resting tremor. Brain, 135:3206–3226, 2012.
12. J. Jankovic and E. Tolosa. Parkinsons disease and movement disorders. Lippincott Williams and Wilkins Philadelphia, 2007.
13. G. Deuschl, P. Bain, and M. Brin. Consensus statement of the movement disorder society on tremor. Movement Disorders, 13:2–23, 1998.
14. E. Tripoliti, L. Strong, T. Foltynie, L. Zrinzo, J. Candelario, M. Hariz, and P. Limousin. Treatment of dysarthria following subthalamic nucleus deep brain stimulation for parkinson’s disease. Movement Disorders, 26:2434–2436, 2011.
15. Z. Zheng, Y. Li, J. Li, Y. Zhang, X. Zhang, and P. Zhuang. Stimulation-induced dyskinesia in the early stage after subthalamic deep brain stimulation. Stereotactic Functional Neurosurgery, 88:29–34, 2010.
16. S. Little, A. Pogosyan, S. Neal, B. Zavala, L. Zrinzo, M. Hariz, T. Foltynie, P. Limousin, K. Ashkan, J. FitzGerald, A. L. Green, T. Z. Aziz, and P. Brown. Adaptive deep brain stimulation in advanced parkinson disease. Annals of Neurology, 74:449–457, 2013.
17. J. Benito-Leon and E. Loid. Essential tremor: emerging views of a common disorder. Nature Reviews Neurology, 2:666–678, 2006.
18. H. Cagnan, J. Brittain, S. Little, T. Foltynie, P. Limousin, L. Zrinzo, M. Hariz, C. Joint, J. Fitzgerald, A. Green, T. Aziz, and P. Brown. Phase dependent modulation of tremor amplitude in essential tremor through thalamic stimulation. Brain, 136:3062–3075, 2013.
19. D. Graupe, I. Basu, D. Tuninetti, P. Vannemreddy, and K. Slavin. Adaptively controlling deep brain stimulation in essential tremor patient via surface electromyography. Neurological Research, 32:899–904, 2010.
20. J. Herron, M. Thompson, T. Brown, H. Chizeck, J. Ojemann, and A. Ko. Cortical brain computer interface for closed-loop deep brain stimulation. IEEE transactions on Neural Systems and Rehabilitation Engineering, PP, 2017.
21. M. Beudel and P. Brown. Adaptive deep brain stimulation in parkinsons disease. Parkinsonism and Related Disorders, 22:S123–S126, 2016.

22. I. Basu, D. Graupe, D. Tuninetti, P. Shukla, K. V. Slavin, L. Verhagen Metman, and D. M. Corcos. Pathological tremor prediction using surface electromyogram and acceleration: potential use in on-off dem and driven deep brain stimulator design. Journal of Neural Engineering, 10:036019, 2013.
23. Mahsa Malekmohammadi, Jeffrey Herron, Anca Velisar, Zack Blumenfeld, Megan H. Trager, Howard Jay Chizeck, and Helen Bront-Stewart. Kinematic adaptive deep brain stimulation for resting tremor in parkinson’s disease. Movement Disorders, 31(3):426–428, 2016.
24. F. Santos, R. Costa, and F. Tecuapetla. Stimulation on demand: Closing the loop on deep brain stimulation. Neuron, 72, 2011.
25. M. Rosa, M. Arlotti, G. Ardolino, F. Cogiamanian, S. Marceglia, A. Di Fonzo, F. Cortese, P. Rampini, and A. Priori. Adaptive deep brain stimulation in a freely moving parkinsonian patient. Movement Disorders, 30:1003–1005, 2015.
26. P. Temperli, J. Ghika, J. G. Villemure, P. R. Burkhard, J. Bogousslavsky, and F. J. Vingerhoets. How do parkinsonian signs return after discontinuation of subthalamic dbs? Neurology, 60:78–81, 2003.
27. Shyamal Patel, Hyung Park, Paolo Bonato, Leighton Chan, and Mary Rodgers. A review of wearable sensors and systems with application in rehabilitation. Journal of NeuroEngineering and Rehabilitation, 9(1):21, 2012.
28. Peter J. Grahm, Grant W. Mallory, Obaid U. Khurram, B. Michael Berry, Jan T. Hachmann, Allan J. Bieber, Kevin E. Bennet, Hoon-Ki Min, Su-Youne Chang, Kendall H. Lee, and J. L. Lujan. A neurochemical closed-loop controller for deep brain stimulation: toward individualized smart neuromodulation therapies. Frontiers in Neuroscience, 8:169, 2014.
29. R. Carron, A. Chaillet, A. Filipchul, W. Pasillas-Lepine, and C. Hammond. Closing the loop of deep brain stimulation. Frontiers in Systems Neuroscience, 7:112, 2013.
30. E. Opri, J. Shute, R. Molina, K. Foote, M. Okun, and A. Gunduz. Closing the loop in deep brain stimulation: A responsive treatment for essential tremor (s27.005). Neurology, 86, 2016.
31. Takamitsu Yamamoto, Yoichi Katayama, Junichi Ushiba, Hiroko Yoshino, Toshiki Obuchi, Kazutaka Kobayashi, Hideki Oshima, and Chikashi Fukaya. On-demand control system for deep brain stimulation for treatment of intention tremor. Neuromodulation: Technology at the Neural Interface, 16(3):230–235, 2013.

32. P. Shukla, I. Basu, D. Graupe, D. Tuninetti, and K. V. Slavin. A neural network-based design of an on-off adaptive control for deep brain stimulation in movement disorders. In Engineering in Medicine and Biology Society (EMBC), 2012 Annual International Conference of the IEEE, pages 4140–4143, 2012.
33. Pitamber Shukla. Machine Learning Technique Based Closed-loop Deep Brain Stimulation Controller Design. PhD thesis, University of Illinois at Chicago, 2015.
34. N. Khobragade, D. Graupe, and D. Tuninetti. Towards fully automated closed-loop deep brain stimulation in parkinson’s disease patients: A lamstar-based tremor predictor. In Engineering in Medicine and Biology Society (EMBC), 2015 37th Annual International Conference of the IEEE, pages 2616–2619, 2015.
35. V. Nigam and D. Graupe. A neural-network-based detection of epilepsy. Neurological Research, 26:55–60, 2004.
36. J. A. Waxman, D. Graupe, and D. W. Carley. Automated prediction of apnea and hypopnea, using a lamstar artificial neural network. Am J Respir Crit Care Med., 181(7):727–723, 2010.
37. N. Schneider and D. Graupe. A modified lamstar neural network and its applications. International Journal of Neural Systems, 18:331–337, 2008.
38. D. Graupe. Deep Learning Neural Networks: Design and Case Studies. World Scientific, 2016.
39. Dario Farina, Luigi Fattorini, Francesco Felici, and Giancarlo Filligoi. Nonlinear surface emg analysis to detect changes of motor unit conduction velocity and synchronization. Journal of Applied Physiology, 93:1753–1763, 2002.
40. GianCarlo Filligoi and Francesco Felici. Detection of hidden rhythms in surface emg signals with a non-linear time-series tool. Medical Engineering and Physics, 21:439–448, 1999.
41. C L. Webber Jr and J P. Zbilut. Recurrence quantification analysis of nonlinear dynamical systems. Tutorials in contemporary nonlinear methods for the behavioral sciences, pages 26–94, 2005.
42. Usama Fayyad and Keki Irani. Multi-interval discretization of continuous-valued attributes for classification learning. In Proceedings of Thirteenth International Joint Conference on Uncertainty in Artificial Intelligence, pages 1022–1027, 1993.

43. Farzan Farnia and David Tse. A minimax approach to supervised learning. In Advances in Neural Information Processing Systems, pages 4240–4248, 2016.
44. Adolfo Ramirez-Zamora, James J Giordano, Aysegul Gunduz, Peter Brown, Justin Sanchez, Kelly Douglas Foote, Leonardo Almeida, Philip Starr, Helen M Bronte-Stewart, Cameron McIntyre, et al. Evolving applications, technological challenges and future opportunities in neuromodulation: Proceedings of the fifth annual deep brain stimulation think tank. Frontiers in Neuroscience, 11:734, 2017.
45. Roongroj Bhidayasiri and Daniel Tarsy. Parkinsons disease:on-off phenomenon. In Movement Disorders: A Video Atlas, pages 14–15. Springer, 2012.
46. D. Graupe, N. Khobragade, D. Tuninetti, K. Slavin, L. Verhagen, I. Basu, and A. Rabie. Patient data concerning emg-based on-demand predictive control of dbs for parkinson patients and significance. European Journal of Translational Myology, 25, 2015.
47. S. Crawford. Extensions to the cart algorithm. Int. Journal of Man-Machine Studies, 31:197–217, 1989.

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## PUBLICATIONS:

*Daniel Graupe, Nivedita Khobragade, Daniela Tuninetti, Ishita Basu, Konstantin Slavin, Leo Verhagen Metman: **Who may benefit from on-demand control of DBS: a non-invasive Parkinson patients evaluation***, Neuromodulation: Technology at the Neural Interface, 2018

*Nivedita Khobragade: **Micromotion and scarring do not contribute to Failure of Regenerative Peripheral Neural Interfacing***, Masters thesis, University of Texas at Arlington, 2012

*Nivedita Khobragade, Daniela Tuninetti, Daniel Graupe, Leo Verhagen Metman, Konstantin Slavin, Ishita Basu: **On-demand Control of DBS using Non-invasive EMG sensors in Movement Disorders***, to be submitted

## CONFERENCE PROCEEDINGS AND POSTERS:

*Nivedita Khobragade, Daniela Tuninetti, Daniel Graupe: **On the need for adaptive learning in on-demand Deep Brain Stimulation for Movement Disorders***, Engineering in Medicine and Biology Society (EMBC), 40th Annual International Conference of the IEEE, July 2018

*Nivedita Khobragade, Chirag Agarwal: **Multi-class segmentation of neuronal electron microscopy images using deep learning***, SPIE Medical Imaging, March 2018

*Nivedita Khobragade, Daniel Graupe, Daniela Tuninetti: **Towards fully automated closed-loop Deep Brain Stimulation in Parkinson's disease patients: A LAMSTAR-based tremor predictor***, Engineering in Medicine and Biology Society (EMBC), 37th Annual International Conference of the IEEE, August 2015

*Daniel Graupe, Nivedita Khobragade, Daniel Tuninetti, Konstantin V Slavin, Leonard Verhagen Metman, and Ahmed Rabie: **Patient Data Concerning EMG-Based On-Demand Predictive Control of DBS for Parkinson Patients and Significance***, European Journal of Translational Myology, March 2015

*Nivedita Khobragade, Vidhi Desai, Jennifer Seifert, Poorva Abhyankar, Young Kim, An Nguyen, Mario Romero-Ortega: **Neural Activity Decay in Regenerative Peripheral Interfaces Correlates with Axonal Remyelination**, Society for Neuroscience, 2011*

*Vidhi Desai, Collins Watson, Nilanjana Dutta, Nivedita Khobragade, An Nguyen, Jennifer Seifert, Mario Romero-Ortega: **Specific single unit neural activity recorded from regenerative peripheral nerve interface corresponding with movement and response to mechanical and thermal stimulation**, Society for Neuroscience, 2011*

*Jennifer Seifert, Collins Watson, Stephen Kunkel, Vidhi Desai, Nivedita Khobragade, Nilanjana Dutta, Young-Tae Kim, Mario Romero-Ortega: **The stability of a regenerative multielectrode interface is unaffected by either normal or excessive cyclical limb stretching**, Society for Neuroscience, 2011*

*Vidhi Desai, Sarita Bhetwal, Nivedita Khobragade, Collins Watson, Nilanjana Dutta, Jennifer Seifert, Mario Romero-Ortega: **Transcription factor analysis indicates that limb stretching does not alter Regenerative multielectrode interfacing of peripheral nerves**, Neural Interfaces Conference, 2012*

*Vidhi Desai, Sarita Bhetwal, Nivedita Khobragade, Collins Watson, An Nguyen, Jennifer Seifert, Mario Romero-Ortega: **Normal ATF-3 and cJUN expression in sensory neurons of peripheral nerve interfaced animals despite nerve stretching**, Society for Neuroscience, 2012*